# Janus: Fast Privacy-Preserving Data Provenance For TLS

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Abstract-Web users can gather data from secure endpoints and demonstrate the provenance of sensitive data to any third party by using privacy-preserving TLS oracles. In practice, privacy-preserving TLS oracles remain limited and cannot selectively verify larger sensitive data sets. In this work, we introduce a new oracle protocol, which reaches new scales in selectively verifying the provenance of confidential web data. The novelty of our work is a construction which deploys an honest verifier zeroknowledge proof system in the asymmetric privacy setting while retaining security against malicious adversaries. Concerning TLS 1.3, we optimize the garble-then-prove paradigm in a security setting with malicious adversaries. Here, we show that a specific operation mode of TLS 1.3 allows to use semi-honest secure computations without authentic garbling for the majority of computations in the garble phase. Our performance improvements reach new efficiency scales in verifying private data provenance and facilitate the practical deployment of privacy-preserving TLS oracles in web browsers.

Index Terms—Data Provenance, Zero-knowledge Proofs, Secure Two-party Computation, Transport Layer Security

## I. INTRODUCTION

In the current age of the Internet where generative artificial intelligence (AI) boosts the spread of misinformation as never before, industry leading companies combat misinformation with new data provenance initiatives to maintain a responsible and verifiable data economy [1], [2]. The goal of the initiatives is the establishment and integration of data provenance solutions into today's web, which lacks support of verifiable data provenance. For instance, secure channel protocols such as transport layer security (TLS) provide confidential and authenticated communication sessions between two parties: a client and a server. However, if clients present data of a TLS session to any third party (e.g. website), then the third party cannot verify if the presented data originated from an *authentic* and *correct* TLS session (cf. top part of Figure 1). Thus, the third party cannot verify the provenance of the TLS data. In the eyes of the third party, TLS data counts as authentic if the origin of the data can be verified. Further, TLS data counts as *correct* if the third-party is able to verify the integrity of presented TLS data against a valid TLS session.

To save a third party from individually verifying data provenance, current approaches either require *servers* to attest to TLS data via digital signatures [?], [3], or employ TLS oracles [4]–[6]. Data attestation through *servers* is an efficient data provenance solution but requires server-side software changes and access to a certification infrastructure. By contrast, TLS oracles relieve *servers* from maintaining a data



Fig. 1. Illustration of TLS sessions in today's web (top part) and TLS sessions accompanied by a TLS oracle (bottom part). TLS sessions, per default, are secure channels between two parties and prevent a third-party from verifying the provenance of TLS data. In contrast, TLS oracles use a trusted verifier to audit and certify the provenance of TLS data, making TLS data publicly verifiable.

provenance infrastructure by taking over the provisioning and verification of data provenance. Due to the seamless integration into the web, TLS oracles count as *legacy-compatible* as they do not introduce any server-side changes. TLS oracles depend on a *verifier* to examine the provenance of TLS data (cf. Janus verifier at the bottom of Figure 1). To validate the provenance of TLS data, the *verifier* captures the transcript of a TLS session and challenges the TLS client with a proof computation. If a TLS client can prove *authenticity* and *correctness* of secret TLS session parameters against the captured TLS transcript at the *verifier*, then the *verifier* certifies the TLS data of the client. With the certificate, TLS clients are able to convince any third party of data provenance if the third party trusts the *verifier*.

TLS oracles have originated in the context of blockchain ecosystems, where TLS oracles originally solved the "oracle problem" of importing trustworthy data feeds to isolated smart contracts [4], [6], [7]. However, TLS oracles are generally applicable to the Internet, which makes them a crucial technique to build user-centric and data-sovereign systems [8]. For instance, through TLS oracles, users are able to present solvency checks without giving up control and privacy of their data [9]. The accountability and credibility guarantees of data provenance systems are used to combat price discrimination [6], bootstrap legacy credentials [10], or attest if a digital resource originated from a generative AI website [11].

Challenges: Even though different solutions exist, TLS oracles remain constrained in the amount of sensitive data they can validate. This means that for larger sensitive resources such as confidential documents, images, or data sets, data provenance solutions are impractical. For instance, clients are required to prove non-algebraic encryption algorithms (e.g. AES128) in zero-knowledge succinct non-interactive argument of knowledge (zkSNARK) proof systems [6]. However, current zkSNARK proof systems operate efficiently if the computed algorithm relies on algebraic structures (e.g. MiMC [12]). Another approach leverages the structure of TLS 1.3 stream ciphers and separates non-algebraic algorithms from the computations performed by the zkSNARK proof system [5]. In this case, the *client* is required to know the structure of TLS data in advance and cannot selectively verify dedicated parts of TLS records. Even if the computation of non-algebraic algorithms is shifted into a pre-computation phase [13], end-to-end (E2E) efficiency of private provenance solutions remains expensive.

Contributions: Our work addresses the above mentioned limitations with two new contributions. We leverage the fact that, in the challenge phase (cf. stage 2 in Figure 1), TLS oracles introduce an asymmetric privacy setting between collaboratively acting parties; the TLS client and the verifier. We exploit the asymmetric privacy setting to combine a honest verifier zero-knowledge (HVZK) proof system with a new validation phase. The validation phase is unilaterally performed by the *client* and establishes security guarantees equivalent to related works (security against malicious adversaries). The HVZK proof system [14] efficiently evaluates non-algebraic algorithms and improves prove computation benchmarks in the challenge phase. Our approach works transparently and does not require a trusted setup security assumption. With that, our work achieves new E2E benchmarks and solves a main bottleneck of current TLS oracles; the efficient evaluation of legacy algorithms without compromising on security guarantees. Our first contribution applies to TLS versions 1.2 and 1.3.

Our second contribution applies to TLS 1.3 in the one round-trip time (1-RTT) mode. Here, we require the *client* to select a cipher suite which is supported by the *server*. In a non-optimistic scenario, the *client* is supposed to perform one pre-fetch call. If the *client* sends a compliant client hello (CH) message during the TLS 1.3 handshake, then the *server* instantly responds with the entire *server*-side handshake transcript. We leverage this effect and show that the *verifier* can securely authenticate the server handshake traffic secret (SHTS) in a malicious security setting. With access to an authentic SHTS at the *verifier*, we run the garble-then-prove paradigm [15] and rely on a semi-honest two party computation (2PC) system which does not depend on authenticated garbling. We detect malicious activities of a *client* by matching transcript commitments against authenticity guarantees derived from SHTS. We achieve performance advantages by utilising more lightweight, semi-honest TwoPC for the majority of TLS 1.3 computations.

**Results:** Our E2E benchmarks for TLS 1.3 verify 8 kB of public TLS data in 0.58 seconds and verify 8 kB of sensitive TLS data 6.7 seconds. Running TLS 1.2, we verify 8 kB of sensitive TLS data 6.2 seconds. Concerning proof computations in the client challenge, our work outperforms related approaches by a factor of 8x (cf. Section VI-B) and relies on a security setting which does not require a trusted setup assumption. In analogy to Roman mythology, we name our contributions for TLS oracles after the god of transitions, *Janus*. With that, the *Janus* optimizations guard an efficient transition of web resources into a representation where provenance can be verified. In summary,

- We formalize the asymmetric privacy setting of TLS 1.2 and TLS 1.3 oracles. We show that in the asymmetric privacy setting, maliciously secure proof systems can be replaced with a construction that combines a HVZK proof system with a new unilateral validation phase.
- We optimize the efficiency of TLS 1.3 oracles by considering SHTS authenticity guarantees during the garblethen-prove paradigm while retaining security properties equivalent to previous works.
- We analyse the security of our constructions (cf. Appendix B), provide performance benchmarks (cf. Section VI), and open-source<sup>1</sup> the implementation of our secure computation building blocks.

## **II. PRELIMINARIES**

This section highlights the key concepts of TLS which data provenance solutions build upon. In addition, we explain necessary cryptographic building blocks and provide extensive details of each cryptographic construction or protocol in the Appendix A.

#### A. General Notations

The TLS notations of this work are introduced in Section II-B, and closely follow the notations of the work [16]. Further, we denote vectors as bold characters  $\mathbf{x} = [x_1, \dots, x_n]$ , where  $len(\mathbf{x}) = n$  returns the length of the vector. Base points of elliptic curves are represented by  $G \in EC(\mathbb{F}_p)$ , where the finite field  $\mathbb{F}$  is of a prime size *p*. For elliptic curve elements, the operators  $\cdot$ , + refer to the scalar multiplication and addition of elliptic curve points  $P \in EC(\mathbb{F}_p)$ . The symbol  $\lambda$  indicates the security parameter. For bits or bit strings, the operators  $\cdot$  represents the logical AND, and  $\oplus$  represents the logical XOR. Other operators describe a random assignment of a variable with  $\stackrel{\$}{\leftarrow}$ , the concatenation of strings with ||, and the comparison of variables with  $\stackrel{?}{=}$ . Concerning authenticated encryption with associated data (AEAD) algorithms in the Galois Counter Mode (GCM) mode, the symbol  $M_{\rm H}$  is a Galois field (GF) multiplication which translates bit strings into  $GF(2^{128})$  polynomials, multiplies the polynomials modulo

<sup>&</sup>lt;sup>1</sup>https://github.com/januspaper/submission1/tree/pets

 TABLE I

 NOTATIONS AND FORMULAS OF TLS VARIABLES.

Variable	Formula		
H <sub>2</sub>	H(ClientHello  ServerHello)		
H <sub>3</sub>	H(ClientHellol   ServerFinished)		
H <sub>6</sub>	H(ClientHelloll   ServerCert)		
H <sub>7</sub>	H(ClientHelloll   ServerCertVfy)		
H <sub>9</sub>	H(ClientHelloll   ClientCertVfy)		
label <sub>11</sub>	"TLS 1.3, server CertificateVerify"		
(k <sub>SATS</sub> , iv <sub>SATS</sub> )	DeriveTK(s=SATS CATS) =		
(k <sub>CATS</sub> , iv <sub>CATS</sub> )	( <b>hkdf.exp</b> (s,"key",H(""),len(k)),		
	hkdf.exp(s,"iv",H(""),len(iv)))		

the field size, and translates the polynomial back to the bit string representation.

## B. Transport Layer Security

TLS is a standardized suite of cryptographic algorithms to establish secure and authenticated communication channels between two parties. TLS exists in different versions; TLS 1.2 and TLS 1.3. Generally, TLS has two phases, where the *handshake phase* derives cryptographic parameters to secure data sent in the *record phase*. TLS relies on the algorithms of hash-based message authentication code (HMAC) and HMACbased key derivation function (HKDF) to securely derive cryptographic parameters and relies on digital signatures to authenticate parties (cf. **ds.Sign, ds.Verify, hkdf.ext, hkdf.exp, hmac** in Figure 2). We provide further details of TLS-specific security algorithms in the Appendix A and present TLSspecific transcript hashes, labels, and key derivation functions of traffic keys in Table I.

1) Handshake Phase: Key Exchange and Key Derivation: To establish a secure channel between a server and a client, TLS relies on the Diffie-Hellman key exchange (DHKE) to securely exchange cryptographic secrets between two parties (cf. Figure 2, lines 1-4). For example, with TLS 1.3 configured to use elliptic curve cryptography, parties protect secrets x, ywith an encrypted representation X, Y and exchange X, Yvia the CH and server hello (SH) messages  $m_{\text{CH}}$ ,  $m_{\text{SH}}$ . With access to X, Y, only the client and server can securely derive the Diffie-Hellman ephemeral (DHE) key, where DHE =  $x \cdot y \cdot G = y \cdot X = x \cdot Y$  holds. Both parties continue to use DHE to derive traffic secrets. In the TLS 1.3 1-RTT mode, the *server* is able to encrypt all server-side handshake messages after receiving a supported client key share in the CH message  $m_{\text{CH}}$ .

In contrast, TLS 1.2 exchanges the messages  $m_{\text{CH}}$ ,  $m_{\text{SH}}$  in plain and refers to the DHE value as the premaster secret. TLS 1.2 uses the premaster secret together with the client and server randomness to derive a master secret, which, in turn, is used to derive traffic secrets. When TLS 1.2 is configured to used AEAD based on stream ciphers, TLS 1.2 generates two application traffic keys to secure record phase traffic ( $k_{\text{CATS}}$ ,  $k_{\text{SATS}}$ ). Otherwise, if TLS 1.2 uses a cipher block chaining (CBC) mode to encrypt records, TLS 1.2 generates additional message authentication code (MAC) keys. In contrast to the GCM mode, the CBC mode counts as key-committing [13],

<b><u>TLS Handshake</u></b> between the client $c$ and server $s$ :				
<b>inputs:</b> $x \stackrel{\$}{\leftarrow} \mathbb{F}_p$ by c. $(y \stackrel{\$}{\leftarrow} \mathbb{F}_p, sk_S, pk_S)$ by s.				
<b>outputs:</b> $(tk_{CATS}, iv_{CATS}, tk_{SATS}, iv_{SATS})$ to $c$ and $s$ .				
1. c: $X = x \cdot G$ ; send X in $m_{CH}$				
2. s: $Y = y \cdot G$ ; send Y in $m_{SH}$				
3. b: dES = hkdf.exp(hkdf.ext(0,0), "derived" $  $ H(""))				
4. b: DHE = $x \cdot y \cdot G$ ; HS = hkdf.ext(dES, DHE)				
5. b: SHTS = <b>hkdf.exp</b> (HS, "s hs traffic" $  $ H <sub>2</sub> )				
6. b: CHTS = <b>hkdf.exp</b> (HS,"c hs traffic" $  $ H <sub>2</sub> )				
7. b: $(k_{CHTS}, iv_{CHTS}) = DeriveTK(CHTS)$				
8. b: $(k_{SHTS}, iv_{SHTS}) = DeriveTK(SHTS)$				
9. b: $fk_S = hkdf.exp(SHTS, "finished"    "")$				
10. s: SCV=ds.Sign $(sk_S, label_{11}    H_6)$ ; send SCV in $m_{SCV}$				
11. s: SF = <b>hmac</b> (fk <sub>S</sub> , H <sub>7</sub> ); send SF in $m_{SF}$				
12. c: SF' = <b>hmac</b> (fk <sub>S</sub> , H <sub>7</sub> ); verify SF' $\stackrel{?}{=}$ SF				
13. c: ds.Verify $(pk_S, label_{11}    H_6, SCV) \stackrel{?}{=} 1$				
14. b: $fk_C = hkdf.exp(CHTS, "finished"    "")$				
15. c: CF = <b>hmac</b> (fk <sub>C</sub> , H <sub>9</sub> ); send CF in $m_{CF}$				
16. s: CF' = <b>hmac</b> (fk <sub>C</sub> , H <sub>9</sub> ); verify CF' $\stackrel{?}{=}$ CF				
17. b: dHS = hkdf.exp(HS, "derived"    H(""))				
18. $b$ : MS = hkdf.ext(dHS, 0)				
19. b: CATS = hkdf.exp(MS, "c ap traffic"    $H_3$ )				
20. b: SATS = hkdf.exp(MS, "s ap traffic" $  $ H <sub>3</sub> )				
21. b: $(k_{CATS}, iv_{CATS}) = DeriveTK(CATS)$				
22. b: $(k_{SATS}, iv_{SATS}) = DeriveTK(SATS)$				

Fig. 2. TLS 1.3 specification of session secrets and keys. Characters at the beginning of lines indicate if the server s, the client c, or both parties b call the functions per line.

[17], which guarantees the existence of a non-ambiguous mapping between traffic secrets and authentication tags. Per default, TLS 1.3 generates two keys ( $k_{CHTS}$ ,  $k_{SHTS}$ ) to secure handshake traffic and generates two keys to secure record traffic ( $k_{SATS}$ ,  $k_{CATS}$ ). Due to the key-independence property of TLS 1.3 [18], disclosing handshake traffic secrets (e.g. SHTS) does not compromise the security of record traffic secret (SATS), a party requires access the handshake secret (HS). Even though, HS is used to derive SHTS (cf. line 5 of Figure 2), hkdf.exp prevents the reconstruction of HS from SHTS.

Authenticity: To mutually authenticate each other, both parties exchange certificates and compute authentication parameters (cf. Figure 2, lines 9-16). Notice that in TLS, clientside authentication is optional, which is why we omit client certificates in Figure 2. But, we show the computations of the server finished (SF) and client finished (CF) values, because, to constitute an authenticated TLS session, both parties must successfully exchange and verify the SF and CF messages  $m_{\text{SF}}$ ,  $m_{\text{CF}}$ . For server-side authentication, the server computes the certificate verification value (e.g. SCV), which binds a Public Key Infrastructure (PKI) X.509 certificate to the TLS



Fig. 3. Example of a garbled circuit C expressing the function f of a secure computation via boolean logic gates. Every circuit wire  $w_L$  is encoded with secret internal labels  $\mathbf{i}$ , a secret and random signal bit  $\sigma_L$ , external labels  $\mathbf{e}=\sigma_L \oplus \mathbf{i}$  (where  $i, e, \sigma \in \{0, 1\}$ ), and wire keys  $\mathbf{k}_L^i$ . Internal labels are associated with input data bits and the lists  $T_{l-d}$  map output labels to output data bits.

transcript via a digital signature [19]. Here, the signature is computed with the server secret key  $sk_S$  and is verified with the corresponding server public key  $pk_S$ . The client obtains the server public key  $pk_S$  in the PKI certificate and aborts the TLS session if the signature verification fails.

2) Record Phase: The TLS record phase requires parties to protect data with authenticated encryption (AE) algorithms before data can be exchanged. AE algorithms translate plaintext data **pt** into a confidential and authenticated representation (**ct**, t), with ciphertext **ct** and authentication tag t. Ciphertext data is computed based on block or stream cipher algorithms and depends on keys established in the handshake phase. We elaborate on TLS data protection algorithms in the Appendix A4.

# C. Cryptographic Building Blocks

This section provides an overview of the cryptographic fundamentals that support the *Janus* optimizations. Formal descriptions of cryptographic building blocks can be found in the Appendix A.

1) Semi-honest 2PC with Garbled Circuits (GCs): Secure 2PC allows two mutually distrusting parties with private inputs x, y to jointly compute a public function f(x, y) without learning the counterparty's private input [20], [21]. A 2PC system based on boolean garbled circuits involves a party  $p_1$ with input **x** as the garbler and party  $p_2$  with input **y** as the evaluator. Party  $p_1$  is supposed to generate the garbled circuit G(C), where the boolean circuit C implements the logic of the public function f (cf. Figure 3). To generate the garbled circuit,  $p_1$  randomly samples wire keys  $\mathbf{k}_L^0, \mathbf{k}_L^1$  and a signal bit  $\sigma_L$  at every wire  $w_L$ . For the purpose of evaluating the function f, wire keys  $\mathbf{k}_L^i$  encode binary data representations of f using internal labels **i**. The purpose of signal bits is twofold. Signal bits encrypt internal bits to external bits  $e_L=\sigma \oplus \mathbf{i}$  which can be shared with  $p_2$ . With that, signal bits enable the evaluator to discover valid entries of garbled tables  $G(\mathcal{C})$ through external bits e [22]. Further, signal bits randomize garbled truth tables  $G(\mathcal{C})$  to obfuscate truth table bit mappings.

Once wire keys, signal bits, and external labels exist,  $p_1$  computes the garbled table entries as follows. Per row of table  $G(\mathcal{C})$  (cf. Figure 3), the bit tuples in the left column are combinations of external labels which correspond to incoming gate wires. The right column contains double encrypted wire keys that correspond to outgoing gate wires. For gates yielding output labels, garbled entries encrypt wire keys. For intermediate gates, garbled entries encrypt wire keys concatenated with corresponding external labels.

After garbling a circuit,  $p_1$  shares  $G(\mathcal{C})$ ,  $T_{l-d}$ , and, if **x**=[1,0],  $(k_a^1, e=0)$  and  $(k_b^0, e=1)$  with  $p_2$ . To obtain wire keys that correspond to the input bits of  $\mathbf{y}$ ,  $p_2$  interacts with  $p_1$  in two 1-out-of-2 Oblivious Transfer (OT) protocols (cf. Section II-C2). The OT protocol requires  $p_1$  to share  $k_e^{\mathbf{y}}, k_d^{\mathbf{y}}$ with corresponding external values with  $p_2$ . Further, the OT scheme gives  $p_2$  access to the keys  $(k_c^0, e=0)$  and  $(k_d^1, e=0)$  if y=[0,1], and prevents  $p_1$  from learning  $p_2$ 's selection of wire keys. With access to  $G(\mathcal{C})$ , input wire keys and corresponding external labels,  $p_2$  is able to evaluate the garbled circuit. To evaluate the first output bit,  $p_2$  decrypts the third entry of table  $G(\mathcal{C}_{AND}^{0,(1,2)})$  and obtains  $(k_e^0, e=0)$ . With that,  $p_2$  continues to decrypt the first entry of table  $G(\mathcal{C}^{1,(0,1)}_{AND})$  to obtain  $k_D^0$  (cf. Figure 3). Last,  $p_2$  decodes  $k_f^0$  using the decoding table  $T_{l-d}^0$  to obtain the first output bit 0. If required,  $p_2$  shares the obtained 2PC output back to  $p_1$ .

2) Oblivious Transfer: Secure 2PC based on GCs depends on the 1-out-of-2  $OT_2^1$  sub protocol to secretly exchange input parameters of the circuit [23]. The  $OT_2^1$  scheme involves two parties where party  $p_1$  sends two messages  $m_1, m_2$  to party  $p_2$ and does not learn which of the two messages  $m_b$  is revealed to party  $p_2$ . Party  $p_2$  inputs a secret bit b which decides the selection of the message  $m_b$ . In this work, we make use of the  $OT_2^1$  scheme defined in the work [23], which does not require a trusted setup. The trusted setup procedure introduces a third party which (i) takes over the generation of cryptographic material and (ii) is trusted to delete the underlying random parameters of the material.

3) 2PC with Malicious Adversaries: We consider the work [24] to secure the semi-honest 2PC defined in Section II-C1 against malicious adversaries. The dual-execution mode in [24] runs two instances of the semi-honest 2PC, where both parties  $p_1$  and  $p_2$  successively act as the garbler and evaluator. Subsequently, both parties interact in a secure validation phase to verify if both executions yield the same output. We describe details of the maliciously secure 2PC system in the Appendix A5e.

4) Zero-knowledge Proofs based on Garbled Circuits: Proof systems allow a prover p to convince a verifier v of whether or not a statement is true. In theory, proof systems rely on a NP language  $\mathcal{L}$  and the existence of an algorithm  $R_{\mathcal{L}}$ , which decides in polynomial time if w is a valid proof for the statement  $x \in \mathcal{L}$  by evaluating  $R_{\mathcal{L}}(x, w) \stackrel{?}{=} 1$ . The assumption is that for any statement  $x \in \mathcal{L}$ , there exist a valid witness w and no witness exists for statements  $x \notin \mathcal{L}$  [25], [26]. Proof systems provide the properties, where

**Completeness** ensures that an honest prover convinces an honest verifier by presenting a valid witness for a statement. **Soundness** guarantees that a cheating prover cannot convince a honest verifier by presenting an invalid witness for a statement.

*Zero-knowledge* guarantees that a malicious verifier does not learn anything except the validity of the statement.

*HVZK* holds if the zero-knowledge property can be shown for a semi-honest verifier, who honestly follows the protocol definition.

Interestingly, zero-knowledge is a subset of secure 2PC and a zero-knowledge proof (ZKP) can be computed using GC-based 2PC if only one party inputs private data. In this work, we make use of the HVZK notion based on boolean GCs [14]. In this setting, the garbler and constructor of the GC acts as the verifier and is assumed to behave semi-honest. The GC evaluates a function f, which yields  $\{0, 1\}$ . The evaluator, as the prover, obtains the GC, input wire keys and corresponding external labels but does not obtain the decoding table. After the prover evaluates the GC and returns the wire key which corresponds to a 1, the verifier is convinced of the proof. Formal security proofs for *completeness, soundness*, and HVZK of the garbled circuits proof system are provided in the work [14].

5) Cryptographic Commitments: Commitment schemes allow a party to hide a message string m via a commitment string c. The **c.Commit** algorithm outputting c takes as input the message m and a secret commitment randomness r. To verify if m computes to c under randomness r requires a party to call an opening algorithm **c.Open**, which takes as input m, c, r. Commitments count as binding if a non-ambiguous mapping between m, r towards c exist.

Commitments are often used in protocols which rely on ZKP cryptography. Using a ZKP to compute the **c.Open** function allows a prover to convince the verifier from knowing a valid commitment opening without revealing the witness. We formally define commitment schemes in the Appendix A8

6) Secret Sharing: Secret sharing involves a trusted dealer to break a secret into shares with a **ss.Share** algorithm. Shares are distributed to qualified recipients which can reconstruct the secret by computing individual shares back together with a **ss.Reconstruct** algorithm [27]. In this work, we consider secret sharing with an access structure of t=n=2, where t out of n parties must add together secret shares to reconstruct the secret [28]. We provide the formal definition of secret sharing in the Appendix A7.

## **III. SYSTEM MODEL**

The system model defines system roles, the threat model, and system goals in form of security properties.

# A. System Roles & Adversarial Behavior

*Clients* establish a TLS session with *servers*, query data from *servers*, and present TLS data proofs to the *verifiers*. We assume that *clients* behave maliciously and arbitrarily deviate from the protocol specification in order to learn secret shares of TLS session parameters from the *verifier*. Further, malicious *clients* try to learn any information that contributes to convincing the *verifier* of false statements on presented TLS data.

Servers participate in TLS sessions with *clients* and return record data upon the reception of compliant API queries. We assume honest *servers* which follow the protocol specification. *Verifiers* act as proxies and take over the role of TLS oracle verifier. *Verifiers* are configured at the client and route TLS traffic between the *client* and the *server*. We assume malicious *verifiers* deviating from the protocol specification with the goal to learn TLS session secret shares or private session data of *clients*.

# B. Threat Model

We rely on a threat model with secure TLS communication channels between clients and servers (TLS security guarantees hold). Further, we assume that fresh randomness is used per TLS session. Network traffic, even if it is intercepted via a machine-in-the-middle (MITM) attack by the adversary (e.g. the *client*), cannot be blocked indefinitely. We assume up-todate Domain Name System (DNS) records at the verifier such that the verifier can resolve and connect to correct Internet Protocol (IP) addresses of servers. The IP address of a server cannot be compromised by the adversary such that adversaries cannot request malicious PKI certificates for a valid DNS mapping between a domain and a server IP address. Servers share valid PKI certificates for the authenticity verification in the TLS handshake phase. Server impersonation attacks are infeasible because secret keys, which correspond to exchanged PKI certificates, are never leaked to adversaries. Our protocol imposes multiple verification checks on the *client* and the verifier, where failing verification leads to protocol aborts at the respective parties. All system roles are computationally bounded and learn message sizes of TLS transcript data. For employed ZKP systems, we expect completeness, soundness, and HVZK to hold. We assume that the *client* and *verifier* do not collude.

## C. System Goals

The following security properties concern the *client* and *verifier* as the *server* is assumed to behave honestly.

*Session-authenticity* guarantees that *verifiers* attests web traffic which originates from an authentic TLS session. Authenticity is guaranteed if the *verifier* successfully verifies the PKI certificate of the server.

*Session-integrity* guarantees that a malicious *client* and *verifier* cannot deviate from the TLS specification if a TLS session has been authenticated. This means that an adversary cannot modify server-side or client-side TLS traffic in any TLS phase. Notice that for client-side TLS traffic of the record phase, a malicious *client* is able to send arbitrary queries to the *server*, such that servers decide if queries conform with API handlers. Session-confidentiality guarantees that the verifier neither learns any entire TLS session secrets nor any record data which has been exchanged between the *client* and the *server*. Further, the notion guarantees that the *verifier* learns nothing beyond the fact that a statement on TLS record data is true or false.

MITM-resistance guarantees that the properties of sessionintegrity, session-authenticity, and session-confidentiality hold in a system setting, where adversaries are capable of mounting MITM attacks.

# IV. OPTIMIZING PROOF COMPUTATIONS IN THE ASYMMETRIC PRIVACY SETTING

We analyze TLS oracles with regard to performance tradeoffs and the asymmetric privacy setting (cf. Section IV-A) and deploy a HVZK proof system in the asymmetric privacy setting (cf. Section IV-B). Our construction relies on a new secure validation phase to establish security against malicious adversaries (cf. Appendix B1).

# A. Analyzing Oracles & Asymmetric Privacy

In this section, we analyze the performance bottlenecks of TLS oracles and identify asymmetric privacy conditions.

1) Three-party Handshake: TLS oracles turn the two-party protocol of TLS into a three-party protocol by introducing a verifier [4]. The verifier ensures that the TLS data of the client preserves integrity according to an authenticated TLS session via a verifiable computation trace. To audit the integrity of TLS data, the *verifier* and *client* establish a mutually vetting but collaborative TLS client. To construct a collaborative TLS client, TLS oracles replace the TLS handshake with a threeparty handshake (3PHS) [4], [6]. In the 3PHS, every party injects a secret randomness such that the DHE secret on the client-side depends on two secrets. As such, the DHE value, which is individually derived at the server, can be jointly reconstructed if the *client* and *verifier* add shared secrets together. Appendix A1 presents the cryptography of the 3PHS.

The consequence of the 3PHS is that the *client* depends on the computational interaction with the verifier to proceed in a TLS session with the server. The client preserves computational integrity according to the TLS specification if the joint TLS computations with the *verifier* progress. Without access to the secret share of the verifier, clients cannot derive and use full TLS secrets and encryption keys that are required for the secure session with the server. Introducing false session data on the client-side leads to a session abort at the server.

2) Client-side Two-party Computation: With secret shared TLS parameters, the *client* and *verifier* proceed according to the TLS specification by using secure 2PC techniques [6], [29]. To achieve efficient secure 2PC [4]-[6], TLS oracles convert secret-shared DHE values in form of elliptic curve (EC) coordinates into bit-wise additive secret shares with the Elliptic Curve to Field (ECTF) algorithm (cf. Appendix A5) [30]. Additive secret shares can be efficiently added together in



Fig. 4. High-level protocol of TLS oracles. After the key derivation computation (KDC), it holds that  $k_X = kv_X + kc_X$ , where X indicates server or client side AE keys. Algorithms executed by two parties are surrounded by red boxes and achieve security against malicious adversaries.

2PC circuits that are based on boolean GCs [6], [21], [24], [31], [32]. After the ECTF conversion (cf. Figure 4), the client and verifier perform the TLS key derivation and record phase computations using maliciously secure 2PC based on boolean GCs, which comes with optimized binary circuits for the required computations [27], [33].

a) Mac-then-Encrypt (e.g. CBC-HMAC): The efficiency of TLS oracles in the record phase heavily depends on the cipher suite configuration. If TLS uses Mac-then-Encrypt (MtE) AE (TLS 1.2 with cipher block chaining hash-based message authentication code (CBC-HMAC)), then the client and verifier end up deriving four secret-shared keys in the handshake phase:

- $k_{CATS} = kv_{CATS} + kc_{CATS}$  to encrypt request data  $\mathbf{pt}_{reg}$ .

- $k_{SATS} = kv_{SATS} + kc_{SATS}$  to encrypt the data  $\mathbf{pt}_{resp}$ .  $k_{CATS}^t = kv_{CATS}^t + kc_{CATS}^t$  to authenticate requests  $\mathbf{t}_{req}$ .  $k_{SATS}^t = kv_{SATS}^t + kc_{SATS}^t$  to authenticate responses  $\mathbf{t}_{resp}$ .

The verifier can disclose encryption keys  $kv_{SATS}$ ,  $kv_{CATS}$ to the *client* as it suffices to control the integrity of joint TLS computations by withholding keys to compute authentication tags [6]. With respect to efficiency, the work [6] shows how 2PC circuits computing HMAC tags remain independent of record sizes, making CBC-HMAC a 2PC-friendly option to compute the record phase.

Another benefit of CBC-HMAC is that it counts as key committing [6], [17], which guarantees the existence of an unambiguous mapping between a TLS session key and record data. As a consequence, capturing ct is the only requirement for the verifier before secret shares can be disclosed to the client. Further, TLS oracles use the key committing property and simplify the ZKP computation during the client challenge to (i) three invocations of advanced encryption standard (AES) and (ii) a selective data opening which leverages the Merkle–Damgård construction [?], [6].

$C_{\text{MtE}}(\mathbf{pt}, kc, kc^t; kv, kv^t, \mathbf{ct}_{\alpha} = \mathbf{ct}[\text{end-3:}], \phi):$
1. t' = HMAC( $kc^t + kv^t$ , <b>pt</b> )
2. $\mathbf{ct}_{\alpha}' = \operatorname{AES}(kc + kv, t')$
3. assert: $\mathbf{ct}_{\alpha} \stackrel{?}{=} \mathbf{ct}_{\alpha}$ ', $1 \stackrel{?}{=} f_{\phi}(\mathbf{pt})$
$\mathcal{C}_{\text{AEAD}}(\mathbf{pt}, kc ; kv, \mathbf{ct}, iv, t_{\alpha}, \mathbf{c}_k, \phi)$ :
1. $t_{\alpha}$ ' = [ AES( $kc + kv, 0$ ), AES( $kc + kv, iv$   1) ]
2. <b>ct</b> ' = AES( $kc + kv$ , <b>pt</b> ); $c_k$ ' = commit( $kc$ )
3. assert: $t_{\alpha} \stackrel{?}{=} t_{\alpha}$ ', $c_k \stackrel{?}{=} c_k$ ', $ct \stackrel{?}{=} ct$ ', $1 \stackrel{?}{=} f_{\phi}(pt)$

Fig. 5. Circuit logic of ZKPs in the client challenge. The semicolon; separates private inputs (left side) from public inputs (right side). The function  $f_{\phi}$  evaluates conditions expressed by a public statement  $\phi$  on the plaintext **pt**.

b) AEAD (e.g GCM / CHACHA20\_POLY1305): If TLS is configured to protect records with AEAD algorithms (TLS 1.3 and optionally TLS 1.2), then the client and verifier derive two secret-shared keys ( $k_{CATS} = kv_{CATS} + kc_{CATS}$ ,  $k_{SATS} = kv_{SATS} + kc_{SATS}$ ). AEAD keys encrypt and authenticate records. Thus, to maintain session-integrity, the verifier cannot disclose any secret shared AEAD key in the record phase before receiving a commitment. Since keys are not decoupled as with CBC-HMAC, the efficiency of TLS oracles running AEAD cipher suites deteriorates for larger record sizes. The bottleneck is the 2PC computation of authentication tags, which evaluate algebraic structures (e.g. polynomials over large fields  $GF(2^{128})$  for GCM and  $GF(2^{130} - 5)$  for POLY1305) over all ciphertext chunks. Computing AES using 2PC is efficient as optimizations exist [31]. In Section V, we optimize the 2PC complexity for TLS oracles running AEAD cipher suites in the record phase and our optimization applies to TLS 1.3 in the 1-RTT mode.

Insight 1: The performance of 2PC AEAD tag computations deteriorates for larger record sizes.

Further, AEAD configurations require special attention as AEAD cipher suites are not key committing [13], [34]-[37]. This means that an adversary can perform commitment attacks [38]. For example, the message franking attack finds two messages  $m_1 \neq m_2$  and two keys  $k_1 \neq k_2$  such that encrypting  $m_1$  under  $k_1$  and encrypting  $m_2$  under  $k_2$  yield the same ciphertext ct and tag t [39]. This attack is problematic and would break session-integrity and, with that, sessionauthenticity. In other words, a successful attack allows the client to prove arbitrary TLS data as TLS-authentic in the client challenge. TLS oracles solve this attack by letting the client disclose a commitment of the key share to the verifier (cf. Figure 4) [6]. The extra commitment binds the *client* to a fixed key share, which is verified during the client challenge. Fixing the key share must happen before the verifier discloses remaining session secrets (e.g.  $\mathbf{k}\mathbf{v}_{\mathbf{X}}$  in Figure 4). Otherwise, an attacker can arbitrarily compute valid authentication tags and ciphertext chunks, which is a prerequisite to perform the attack [39].

3) Client Challenge in Asymmetric Privacy Setting: Once the *client* has gathered enough TLS data, the *verifier* reveals remaining secret shares to the *client* (cf. Figure 4). When the *client* obtains full access to session secrets, an asymmetric privacy setting between the *client* and *verifier* is established. Now, the *client* is able to access TLS data by decrypting exchanged records which the *verifier* cannot.

To preserve *session-integrity*, the *verifier* confronts the client with irreversible challenges via ZKP circuits (cf. Figure 5). For cipher suites running MtE, the *client* must prove that the plaintext evaluates against the authentication tag which is encrypted under the last three ciphertext chunks. For AEAD cipher suites, the *client* shows that the secret key share kcmaps to (i) the previously shared key share commitment, (ii) connects plaintext and ciphertext chunks, and (iii) computes to intermediate values  $t_{\alpha}$  for the tag computation. The *verifier* obtains intermediate values from the *client* and continues the computation and verification of authentication tags out-ofcircuit.

Current TLS oracles rely on maliciously secure proof systems (e.g. *Groth16*, *Plonk*), which efficiently evaluate algebraic or zkSNARK-friendly arithmetic [?], [6], [13], [15], [29]. However, the ZKP circuits (cf. Figure 5) heavily depend on legacy algorithms (e.g. AES or SHA256) which rely on non-algebraic arithmetic.

# Insight 2: Proof systems are not tailored to the arithmetic requirements and the privacy setting found in TLS oracles.

In Section IV-B, we show how lightweight proof systems, which efficiently evaluate non-algebraic algorithms, can be optimized in an asymmetric privacy setting.

## B. HVZK and Asymmetric Privacy

This section picks up on our second insight (cf. Section IV-A3) and formalizes asymmetric privacy. Further, in the asymmetric privacy setting, we secure a HVZK proof system against malicious adversaries by adding a new unilateral validation phase. Subsequently, we show how our formal definitions apply to TLS.

1) Formalizing Asymmetric Privacy: In the scope of this work, we formalize asymmetric privacy in a setting with three parties; parties  $p_1$  and  $p_2$  and a trusted dealer d. We rely on a maliciously secure 2PC scheme  $\Pi_{2PC}$ , a secure commitment scheme  $\Pi_{Com}$ , and a secret sharing scheme  $\Pi_{SS}$  (cf. Appendix A for formal definitions).

To set up an asymmetric privacy setting between  $p_1$  and  $p_2$ , the dealer d calls  $\Pi_{SS}$ .**Share** and individually shares  $r_1$  with  $p_1$  and  $r_2$  with  $p_2$ . It holds that the secret shares  $r_1+r_2$  sum to r. We define two cases to commit a message string m into a commitment string c using r. The first case requires  $p_1$  and  $p_2$  to execute a circuit C in the 2PC scheme  $\Pi_{2PC}$ , where C calls  $\Pi_{SS}$ .**Reconstruct** and  $\Pi_{Com}$ .**Commit**. In this case,  $p_1$ inputs m and  $r_1$  and  $p_2$  inputs  $r_2$ . After the commitment c has been computed and disclosed,  $p_2$  releases the secret share  $r_2$ to  $p_1$ , and, with that, initiates the asymmetric privacy setting. Now,  $p_1$  can reconstruct r. With access to m and r, only  $p_1$ is capable of successfully proving  $\Pi_{Com}$ .**Open**.

For the second case, the trusted dealer computes and discloses the commitment string c on a message string m with randomness r. If the trusted dealer performs the commitment, then the dealer additionally shares the message string m with a party (e.g. with  $p_1$ ). To set up the asymmetric privacy setting,  $p_2$  discloses the secret share  $r_2$  after receiving the commitment string c from the dealer. In the second case, the dealer and  $p_1$  have access to r and can prove a successful commitment opening to  $p_2$ .

2) HVZK and Selective-failure Attacks: To improve the performance of proof computations during the client challenge (cf. Figure 4), we deploy a HVZK proof challenge to evaluate the circuits of Figure 5. We consider the asymmetric privacy setting between  $p_1$  as the *client* and  $p_2$  as the *verifier*, where  $p_1$  has access to all TLS session secrets. The proof system of the work [14] uses semi-honest 2PC based on boolean garbled circuits to achieve the notion of HVZK and assumes an honest verifier (cf. Section II-C4). However, in a setting with malicious adversaries, semi-honest 2PC is susceptible to selective failure attacks [31]. Notice that if a malicious  $p_2$ intentionally corrupts one or multiple rows of the garbling tables,  $p_2$  can learn information on which row has been evaluated by  $p_1$ . On top and with knowledge of the row permutations,  $p_2$  is capable of deriving secret information of  $p_1$ 's inputs. In the following subsection, we introduce a secure validation protocol which is unilaterally performed by  $p_1$ . The validation detects a maliciously acting  $p_2$  before any secrecy leakage occurs.

3) Unilateral Secure Validation: The unilateral secure validation is performed once  $p_1$  obtains all public semi-honest 2PC parameters of the HVZK proof system [14], which comprise garbled tables  $G(C_{\text{HVZK}})$  and external labels **e** (cf. Section II-C1). The parties  $p_2$  and  $p_1$  exchange wire keys **k** corresponding to the private inputs **pt** via the  $OT_2^1$  oblivious transfer protocol [23] and  $p_2$  omits sharing the output label decoding table  $T_{l-d}$ . The party  $p_2$ , acting as the garbler and verifier, is convinced of the HVZK proof if  $p_1$ , acting as the evaluator and *client*, returns the output wire key that corresponds to the output bit 1. Depending on the cipher suite, the 2PC circuit  $C_{\text{HVZK}}$  implements the logic of the circuits  $C_{\text{MtE}}$  or  $C_{\text{AEAD}}$  (cf. Figure 5) and yields a 1 if all assertions are satisfied.

In the default HVZK proof system [14], the *client*  $p_1$  must return the output wire key back to the *verifier*  $p_2$  to complete the HVZK proof protocol. However, to achieve security in a malicious setting, we require  $p_1$  to run a new secure validation phase (cf. Figure 6). The unilateral validation enforces  $p_1$  to share a commitment  $c_{k_{out}}$  of the output wire key. After sharing the commitment  $c_{k_{out}}$ ,  $p_2$  discloses all garbling parameters of the semi-honest 2PC computation with  $p_1$ . Revealing all garbling parameters allows  $p_1$  to verify if  $C_{HVZK}$  has been garbled correctly by recomputing the garbled circuit. And, due to the asymmetric privacy setting,  $p_1$  learns nothing new because all TLS session secrets of  $p_2$  have already been shared with  $p_1$ . If  $p_1$  detects a malicious garbling, then  $p_1$  aborts the protocol. Otherwise,  $p_1$  discloses the commitment randomness r such that  $p_2$  can verify the correct output wire key via  $c_{kout}$ . We show the security of this construction in the Appendix B1.



Fig. 6. Secure unilateral validation protocol in the asymmetric privacy setting to assert correct garbling of  $C_{HVZK}$ .

4) TLS Compatibility: Our formalization is compatible with the typical TLS oracle setting with a single verifier. The server takes over the role of the trusted dealer to set up multiplicative secret shares between the client parties via the 3PHS. Subsequently, the ECTF protocol converts client secret shares into an additive representation. The *client* and verifier collaboratively commit to TLS session parameters by computing authentication tags and ciphertext chunks (cf. first case commit in Section IV-B1). Otherwise, the client-side parties receive commitments by capturing server-side traffic (cf. second case commit in Section IV-B1). Remember that if a cipher suite is not key-committing (e.g. AEAD cipher suites), then the verifier needs an additional key share commitment from the *client*. Access to secure commitments is a prerequisite for the asymmetric privacy setting. Next, the *verifier* initiates the asymmetric privacy setting by disclosing secret shares of TLS parameters to the *client*. From here on, only the *client* is capable of computing valid commitment openings. Thus, in the client challenge, a HVZK proof system with our unilateral validation protocol can be deployed.

## V. OPTIMIZING END-TO-END PERFORMANCE

Our second contribution applies to TLS oracles running the TLS 1.3 1-RTT mode and targets our first insight (cf. Section IV-A2) by mainly optimizing 2PC computations in the record phase. In detail, we show how client parties can securely derive and authenticate the SHTS parameter in a malicious security setting (cf. Section V-A). Subsequently, we leverage the SHTS authenticity to deploy an optimized garblethen-prove paradigm, which entirely relies on semi-honest 2PC techniques (cf. Section V-B).

#### A. Authenticating SHTS

This section explains why pre-fetching cipher suites is a necessity to reliably validate SHTS authenticity. Further, we show how our SHTS validation sequence counters possible attacks.

1) Pre-fetch for Immediate Server-side Handshake Transcript: We consider the 1-RTT mode of TLS 1.3, where servers immediately derive session secrets and return authenticated handshake messages upon the reception of compliant



Fig. 7. Mutual SHTS verification between client parties. Red boxes indicate values derived in maliciously secure TwoPC systems.

CH messages (cf. Figure 7). Even though TLS 1.3 allows the configuration of three AEAD cipher suites and two possible parameters for the key agreement (ECDHE with X25519 or P-256), *clients* may select an unsupported parameterization. In this case, TLS parameters must be renegotiated. To prevent any renegotiation, we expect *clients* to perform a single prefetch call to detect possible configurations. This way, *clients* and *verifiers* can reliably expect and capture the server-side handshake transcript if a compliant CH message is sent to the *server*.

2) Compute and Disclose of SHTS: Once clients receive the server-side handshake traffic, both the *client* and *verifier* continue to derive secret-shared session parameters via the 3PHS (cf. Appendix A1) and the ECTF protocol (cf. Appendix A5b) [5], [6]. In the end, the verifier locally maintains  $s_1$  and the *client* locally keeps  $s_2$  and it holds that  $s_1 + s_2 =$  DHE. To derive SHTS, the verifier and client evaluate the circuit  $C_{SHTS}$  (cf. Table II) in a maliciously secure 2PC system. Similar to the works [?], [6], [35], we leverage the fact that, during the handshake phase, the *client* can securely disclose the SHTS parameter to the verifier. Even though the verifier knows SHTS, the key independence property of TLS 1.3 prevents the *verifier* from learning the HS secret [18], as HS is protected by **hkdf.exp** (cf. line 5 and 17 of Figure 2). Without access to HS, the adversary cannot derive application traffic keys from HS.

3) Attacking SHTS Authenticity: The server-side handshake transcript contains the SF message, which can be seen as a commitment to established TLS session parameters [?], [35]. We require both client parties to capture the server-side handshake transcript before the *client* and *verifier* compute SHTS via the 2PC circuit  $C_{SHTS}$  (cf. Figure 7). This condition prevents adversaries from forging the authenticity of SHTS as client parties can validate handshake session secrets against the commitment (cf. Appendix B2).

To provide more context, the following aspects must be considered. Our system model prevents the adversary (i) from compromising the *server*'s private key and (ii) from accessing full handshake secrets through the 3PHS and the ECTF protocol. Thus, to obtain a valid signature from the *server*, an adversary must replay a previous and individually established handshake transcript.

TABLE II MAPPING OF TLS COMPUTATION TRACES TO 2PC CIRCUITS. WE USE XHTS FOR SHTS/CHTS AND XATS FOR SATS/CATS.

Circuit	Computation Trace
$\mathcal{C}_{\mathrm{XHTS}}$	DHE= $s_1+s_2$ ; DHE to XHTS
$\mathcal{C}_{(k,iv)}$	DHE= $s_1+s_2$ ; DHE to $(kc_{XATS}, kv_{XATS}, iv_{XATS})$
$\mathcal{C}_{\mathrm{CB}_{2+}}$	$(kc_{XATS}, kv_{XATS}, iv_{XATS})$ to $CB_{2+}$
$\mathcal{C}_t$	$(kc_{\text{XATS}}, kv_{\text{XATS}}, iv_{\text{XATS}}, ct)$ to t
$\mathcal{C}_{open}$	DHE= $s_1$ + $s_2$ ; DHE to SHTS; DHE to CB

*a) Malicious Client:* If the adversary takes the role of the *client*, then the *verifier* injects fresh randomness by determining the CH transcript. As a consequence, a replayed handshake signature does not match the new transcript and the adversary cannot sign a new transcript without the *server*'s private key. Thus, in this scenario, the signature verification detects malicious behavior.

b) Malicious Verifier: If the adversary acts as a verifier, then the adversary determines the CH message transcript which the *client* cannot. This gives the adversary the opportunity to replay a previously established handshake session, where the adversary knows the session secret DHE. If we allow the computation of SHTS before capturing the serverside handshake transcript, the following attack is possible<sup>2</sup>: The adversary picks a random input to compute SHTS' and recomputes the last part of a previously established handshake transcript using SHTS' (cf. lines 8,9,11 of Figure 2). Once the adversary shares the forged server-side handshake transcript, the *client* accepts because the SF validation succeeds. Afterwards, the adversary accepts any incoming requests from the client which could contain confidential data (e.g. credentials). This attack compromises session-authenticity and session-integrity. However, if the client honestly proceeds the 2PC computations according to TLS 1.3, then sessionconfidentiality on record phase data holds.

We close this attack with the previously defined condition, where client parties capture the server-side handshake transcript before the joint evaluation of SHTS. Here, the adversary is faced with the following challenge. The adversary must replay a handshake transcript which complies with the prospective SHTS value. Since the adversary cannot predict the outcome of  $C_{SHTS}$  without access to the secret  $s_2$  of the *client*, the adversary has negligible chances in guessing a compliant SF message beforehand (cf. Appendix B2). This way, *session-authenticity* and *session-integrity* hold.

4) SHTS Validation: The validate SHTS, the *client* and *verifier* match the locally computed SF' values against the SF value from the *server*. To access SF, both client parties derive the handshake traffic secrets  $k_{\text{SHTS}}$ , iv<sub>SHTS</sub> and decrypt serverside handshake messages. Additionally, the client parties assert the validity of the *server*'s certificate. Afterwards, the client side jointly computes  $C_{\text{CHTS}}$  using maliciously secure 2PC, which outputs the client handshake traffic secret (CHTS) to

<sup>&</sup>lt;sup>2</sup>This attack applies to the wok [6] in the TLS 1.3 mode. The work [29] indicates this attack. Our work provides the first full attack description and proposes a countermeasure.

$$\frac{C_{\mathbf{zkOpen}}(s_2, \mathbf{pt} ; s_1, \mathbf{I}^{\text{open}}, \mathbf{ct}, t, \text{SHTS}, \phi):}{1. \text{ SHTS'}, \mathbf{CB'} = C_{\text{open}}(s_1, s_2, \mathbf{I}^{\text{open}}) \\ 2. \mathbf{ct'} = \mathbf{CB'} \oplus \mathbf{pt}, t' = [\text{ CB}_0', \text{ CB}_1'] \\ 3. \text{ assert: SHTS'} \stackrel{?}{=} \text{SHTS}, \mathbf{ct'} \stackrel{?}{=} \mathbf{ct}, t' \stackrel{?}{=} t, 1 \stackrel{?}{=} f_{\phi}(\mathbf{pt}) \\ \frac{C_{\mathbf{tpOpen}}(s_2 ; s_1, \mathbf{I}^{\text{open}}, \mathbf{CB}, t, \text{SHTS}):}{1. \text{ SHTS'}, \mathbf{CB'} = C_{\text{open}}(s_1, s_2, \mathbf{I}^{\text{open}}), t' = [\text{CB}_0', \text{CB}_1'] \\ 2. \text{ assert: SHTS'} \stackrel{?}{=} \text{SHTS}, t' \stackrel{?}{=} t, \mathbf{CB'}$$

Fig. 8. Extending the ZKP circuit  $C_{AEAD}$  (cf. Figure 5) to the HVZK circuit used by our E2E-optimized TLS 1.3 oracle for the privacy-preserving and transparent client challenges.

the *client*. With CHTS, the *client* completes the handshake by computing and sharing the CF message.

#### B. Garble-then-prove with Semi-honest 2PC

We apply a modified garble-then-prove paradigm [15]. In the garble phase, we replace 2PC computations based on authenticated garbling with lightweight semi-honest 2PC computations that do not require authenticated garbling. We show the security of our construction in the Appendix B3.

1) Intuition of Garble-then-Prove: The idea behind the garble-then-prove paradigm is as follows. If a malicious *client* acts as the garbler of the semi-honest 2PC system, then the *client* can mount selective failure attacks throughout the record phase. However, as TLS oracles eventually disclose session secrets of the *verifier*, the malicious *client* learns nothing beyond what the honest *client* would have learned. The prove phase is supposed to (i) detect any cheating activities of the *client* and (ii) provide the *verifier* with a conditional abort option before any data attestations occur. To do so, the prove phase recomputes and compares all semi-honest 2PC computations of the *client* against securely authenticated session parameters at the *verifier* (cf. Section V-B3).

2) Garble Phase: In the garble phase, the *client* and *verifier* collaboratively evaluate multiple 2PC circuits (cf. Table II), where the *client* acts as the garbler and the *verifier* acts as the evaluator. In the handshake phase, the circuit  $C_{(k,iv)}$  yields secret-shared application traffic secrets to the *client* and *verifier*. The additive relation of secrets (e.g.  $k_{XATS}=kc_{XATS}+kv_{XATS}$ ) continues to hold.

In the record phase, the 2PC circuit  $C_{CB_{2+}}$  outputs counter blocks  $CB_i$  (cf. Figure ??) to the *client*, with  $i_{\dot{c}}1$ . To prevent commitment attacks on records, no block  $CB_i$  ever includes any  $CB_0, CB_1$  blocks. To encrypt a request, the *client* computes  $ct_{req} = CB_{2+} \oplus pt_{req}$  and shares the ciphertext  $ct_{req}$  with the *verifier*. Next, the client parties jointly compute  $t_{req}$  using  $C_t$ and the *verifier* sends the request to the *server*. After client parties receive a response ( $ct_{resp}, t_{resp}$ ), the *verifier* discloses all session secrets and initiates the asymmetric privacy setting. Notice that computing the AEAD key commitment  $c_k$  is redundant because, in the client challenge, we can consider SHTS as an authenticated commitment on session secrets.

3) Prove Phase: The prove phase starts with the asymmetric privacy setting (cf. Section IV-B), where the verifier has captured the TLS 1.3 transcript and disclosed session secrets to the *client*. The prove phase of this work considers the authenticated SHTS parameter as a commitment string. Further, the 2PC circuit  $C_{HVZK}$  of the client challenge is set to the  $C_{zkOpen}$  algorithm (cf. Figure 8). The circuit  $C_{open}$  derives SHTS and counter blocks  $CB_i$ , where the list of indices  $I^{open}$ indicates the plaintext/ciphertext chunks of interest. The client determines I<sup>open</sup> according to plaintext chunks that are passed to  $f_{\phi}$ . Notice that the assertion of the authentication tag is reduced to comparing intermediate values CB<sub>0</sub>, CB<sub>1</sub>. The incircuit derivation of CB<sub>0</sub>, CB<sub>1</sub> hides application traffic keys from the verifier and frees  $C_{zkOpen}$  from expensive algebraic operations (e.g. multiplication of GF polynomials). Remember that the HVZK proof system which evaluates  $C_{zkOpen}$  runs the unilateral secure validation to detect a malicious verifier (cf. Section IV-B). After the client challenge, the verifier derives  $t_{resp}$ ' from t' out-of-circuit and asserts if  $t_{resp}$ ' =  $t_{resp}$ . If all assertions succeed, the verifier attests the TLS 1.3 data of the client (cf. Section V-C3).

### C. Additional Considerations

The following aspects complete the context of TLS oracles beyond our contributions in Section V-A and V-B.

1) Operation Modes: TLS oracles can be operated in two different modes, which introduce distinct arrangements in the prove phase. Both operation modes depend on a list of indices  $I^{open}$ , which the *client* shares to the *verifier*. The *client* selectively determines  $I^{open}$  once all session secrets are obtained. Otherwise, the *client* could not access data of serverside records. The *verifier* uses  $I^{open}$  to identify public inputs in form of ciphertext chunks for the verification of  $C_{HVZK}$  (cf. Figure 8).

**Transparent Mode** In the *transparent* mode, the *verifier* checks (i) if the AEAD encryption of presented plaintext chunks matches the captured ciphertext transcript and (ii) if a computation trace from the encryption key to SHTS exists. To prevent the *verifier* from learning TLS encryption keys, the *transparent* mode requires an adapted circuit  $C_{tpOpen}$  (cf. Figure 8).  $C_{tpOpen}$  takes as public input counter blocks CB, which have been computed and shared by the *client*. Further,  $C_{tpOpen}$  asserts SHTS, counter blocks CB, and authentication tags via intermediate values. The assertions  $1 \stackrel{?}{=} f_{\phi}(\mathbf{pt})$  and  $\mathbf{ct} \stackrel{?}{=} \mathbf{ct}^{*} = \mathbf{CB} \oplus \mathbf{pt}$  are computed out-of-circuit because plaintext chunks are publicly disclosed.

**Privacy-preserving Mode** In the *privacy-preserving* mode, the *client* does not share **pt**. Instead, the *client* shares  $I^{open}$  and proves knowledge of authentic plaintext data via the HVZK proof system. To do so, the *client* evaluates the 2PC circuit  $C_{zkOpen}$  and applies the unilateral secure validation.

**Example:** We assume that TLS is configured to use AES in the GCM mode. Further, we assume that the TLS data of interest for the validation according to  $f_{\phi}$  is contained in  $ct_3$  of the response (**ct**, *t*). In this case, the index i=3 is included in

the list  $I^{open}$ . With  $I^{open}$ , the **zkOpen** circuit is able to compute the right  $CB_{2+index}$ , and consider  $CB_5=AES(k,iv||...5)$  for the computation of  $ct_5$ '= $CB_5 \oplus pt_5$ . If the assertions against public inputs succeed (e.g.  $ct_5$ '  $\stackrel{?}{=} ct_5$ ), and  $CB_5$  has been derived with secrets that match a verified SHTS, then the data  $pt_5$  preserves *session-integrity* and *session-authenticity*.

2) *Processing Multiple Records:* Concerning the collaborative processing of multiple records in the *record phase*, we differentiate computations with respect to the following dependencies:

**Requests are independent of responses.** If no request depends on the contents of a response, then the circuit  $C_{CB_{2+}}$  is only called for the compilation of requests. Response counter blocks (CBs) can be locally computed by the *client* once the asymmetric privacy setting enforces the disclosure of full session secrets to the *client*.

**Requests depend on responses.** If a request of number n > 1 depends on the contents of responses  $\mathbf{ct}=[ct_1, \ldots, ct_l]$ , where each response  $ct_m$  has an index m < n, then the *client* and *verifier* perform l executions of the circuit  $C_{CB_{2+}}$ . The evaluation of l circuits  $C_{CB_{2+}}$  yields l vectors of encrypted counter blocks  $CB_{2+}$  to the *client*. With l vectors of  $CB_{2+}$ , the *client* is capable of accessing the contents of the responses  $\mathbf{ct}=[ct_1,\ldots,ct_l]$  to construct the *n*-th request. To preserve *MITM-resistance* and prevent commitment attacks, it must hold that the *verifier* intercepts the pair ( $\mathbf{ct}, t$ ) before the circuit  $C_{CB_{2+}}$  outputs the corresponding  $CB_{2+}$  of response  $\mathbf{ct}$ .

3) Data Attestation: If the client challenge succeeds successfully, the verifier attest to the verified TLS data. The attestation structure depends on the operation modes. In the transparent mode, the verifier hashes verified TLS data and signs the hash. Thus, the certification parameter  $p_{cert}=(t, t)$  $\phi$ , pk,  $\sigma$ ) of the transparent attestation includes a signature  $\sigma$ =ds.Sign $(sk, [\phi, t])$  computed at time t. The verifier overwrites the statement  $\phi = H(\mathbf{pt})$  to the hash of verified data such that every third party can evaluate presented TLS data against  $\phi$  and against arbitrary statements. In the privacypreserving mode, the structure of  $p_{cert}$  remains the same except that the statement  $\phi$  expresses asserted constraints. The privacy-preserving attestation convinces any third party of the fact that the verifier successfully validated TLS data provenance against the statement  $\phi$  at time t. The certificate  $p_{cert}$  enables verifiable TLS data provenance as  $p_{cert}$  can be verified by any third party who trusts the verifier and the server.

# VI. PERFORMANCE EVALUATION

The evaluation describes the software stack and measures the impacts of our two contributions; The first contribution improves proof computation times for TLS 1.2/1.3 oracles. The second contribution improves the E2E performance of TLS 1.3 oracles. We provide micro benchmarks on a circuit level in the Appendix C.



Fig. 9. Scalability analysis of ZKP circuits, where circuits  $C_{MtE}$  (dotted) are compatible with TLS 1.2 only. Circuits  $C^{hvzk}$  leverage *Janus* optimizations. Lines closer to the bottom right corner are "better" and prove more data in less time.

TABLE III MAPPING PROTOCOLS TO CIPHER SUITE MODES WHICH SUPPORT THE ECDHE\_ECDSA\_AES128\_SHA256 CONFIGURATION.

Mode	Variant	Protocols			
12_GCM	AEAD	TLSn			
12_CBC	MtE	Deco,Janus12			
13_GCM	AEAD	DiStefano, DecoProxy, Origo, Janus13			

#### A. Implementation

**Tooling:** We implement the 3PHS by modifying the Golang crypto/tls standard library<sup>3</sup> and configure the NIST P-256 elliptic curve for the elliptic curve Diffie-Hellman exchange (ECDHE). Our ECTF conversion algorithm uses the Golang Paillier cryptosystem<sup>4</sup>. We use the mpc library<sup>5</sup> to access semihonest 2PC based on garbled circuits, which supports the optimizations free-XOR [?], fixed-key AES garbling (AES-NI instruction set) [?], and half-gates [?]. We adjust mpc to output single wire labels if we execute 2PC circuits in the context of the HVZK proof systems. We rely on the ag2pc framework<sup>6</sup> to implement maliciously secure 2PC circuits in TLS 1.2. To compute ZKPs, we rely on the gnark framework [40]. We open-source our secure computation circuits<sup>7</sup>. Based on our cipher suite analysis (cf. Appendix C1), we implement the secure computation circuits AES128 and SHA256 to achieve compatibility with the most popular TLS 1.2/1.3 cipher suites.

**E2E Benchmarks:** The numbers of  $TLSn^8$  and  $DiStefano^9$  are reproduced by running publicly available experiments (cf. Table IV). Due to the fact that Deco [6] is closed source, we open source our  $Deco_{zk}$  re-implementation<sup>10</sup>, which executes TLS 1.2 configured with CBC-HMAC. The implementation of *Janus12* is equal to  $Deco_{zk}$  except for the post-record phase. Here, *Janus12* employs the HVZK proof system implemented with the *mpc* framework. The TLS 1.3 oracles DecoProxy and *Janus13* rely on AEAD cipher suites which we implement

<sup>&</sup>lt;sup>3</sup>https://pkg.go.dev/crypto/tls

<sup>&</sup>lt;sup>4</sup>https://github.com/didiercrunch/paillier

<sup>&</sup>lt;sup>5</sup>https://github.com/markkurossi/mpc

<sup>&</sup>lt;sup>6</sup>https://github.com/emp-toolkit/emp-ag2pc

<sup>&</sup>lt;sup>7</sup>https://github.com/januspaper/submission1/tree/pets

<sup>&</sup>lt;sup>8</sup>https://github.com/tlsnotary/tlsn/tree/main

<sup>9</sup>https://github.com/brave-experiments/DiStefano/tree/main

<sup>&</sup>lt;sup>10</sup>https://github.com/januspaper/deco12mte-reimplementation

## TABLE IV

END-TO-END (E2E) BENCHMARKS OF OPEN-SOURCED TLS ORACLES. FOR THE LAN SETTING, WE ASSUME A ROUND-TRIP-TIME RTT=0 MS AND A TRANSMISSION RATE  $R_t$ =1 GBPS. THE WIDE AREA NETWORK (WAN) SETTING ASSUMES A ROUND-TRIP TIME (RTT) =50 MS AND  $R_t$ =100 MBPS. PROTOCOLS STARTING WITH AN \* REQUIRE AN ADDITIONAL SECURITY ASSUMPTION. WORKS MARKED WITH A ' USE A TRANSPARENT SETUP ASSUMPTION TO COMPUTE ZKPS. ENTRIES MARKED WITH " TAKE OVER THE VALUE OF THE ENTRY ABOVE.

			Communication (kb)			Execution LAN (s) / WAN (s)				
Protocol	Data	vTLS	Offline	Handshake	Record	Post-record	Offline	Handshake	Record	Post-record
TLS	-	1.2	-	1.6	0.67	-	- / -	0.32 / 0.72	0.3 (ms) / 0.2	- / -
TLSn <sub>tp</sub>	579b	1.2	178 (MB)	36 (MB)	40 (MB)	0.57	3.3 / 17.54	1.18 / 4.46	1.12 / 4.52	0.76 / 0.9
Decozk	32b	1.2	523.51 (MB)	294.52	150.55	0.23	14.38 / 56.26	0.94 / 2.36	0.68 / 1.59	0.76 / 0.86
'Janus12 <sub>zk</sub>	32b	1.2	415.22 (MB)	,,	"	28.13	2.9 / 36.1	" / "	" / "	0.08 / 0.23
TLS		1.3		1.42	0.71			0.36/0.76	0.49 (ms) 7 0.2	
*Origo <sub>zk</sub>	32b	1.3	367.61 (MB)	"	"	0.24	29.16 / 58.56	" / "	" / "	1.26 / 1.36
*DecoProxy <sub>zk</sub>	32b	1.3	578.47 (MB)	307.7	"	0.27	24.34 / 70.61	0.95 / 2.37	" / "	1.35 / 1.45
DiStefano	256b	1.3	220.484 (MB)	343.42	48.82	-	5.85 / 23.48	0.43 / 0.85	0.12 / 0.32	- / -
'Janus13 <sub>tp</sub>	2.2kb	1.3	305.17 (MB)	113.8	984	583	1.99 / 26.4	0.51 / 0.91	1.04 / 1.51	0.46 / 0.6
'Janus13 <sub>zk</sub>	2.2kb	1.3	406.29 (MB)	"	"	2 (MB)	2.63 / 35.13	"/"	" / "	2.08 / 2.34

with the *mpc* library. Malicious 2PC circuits computed with the *mpc* framework use the dual-execution mode [24]. We rely on *gnark* to implement ZKP circuits for *Deco*, *DecoProxy*, and *Origo*.

## B. Performance

All performance benchmarks have been averaged over ten executions and have been collected on a MacBook Pro configured with the Apple M1 Pro chip and 32 GB of random access memory (RAM).

1) Client Challenge Benchmarks: Concerning our first optimization (cf. Section IV), we evaluate ZKP circuits that are used during the client challenge. We execute the traditional circuits  $C_{AEAD}^{zk}$ ,  $C_{MtE}^{zk}$  (cf. Figure 5) as a baseline using the fastest gnark proof system Groth16. We execute the circuits  $\mathcal{C}^{hvzk}_{zkOpen}$  as an AEAD variant with the SHTS assertion (cf. Figure 8) and  $C_{MtE}^{hvzk}$  using the HVZK proof system. We depict the protocol support of the circuit variants in Table III. Generally, the HVZK circuits (cf. red in Figure 9) achieve the best performance, where MtE-based circuits are ahead of AEAD circuits. This makes sense as the circuit  $\mathcal{C}^{hvzk}_{zkOpen}$  requires additional logic of constant size to derive and validate keys against SHTS. For larger data sizes, this overhead diminishes as AES (e.g. AEAD circuits) or SHA256 (e.g. MtE circuits) dominate the circuit complexity. Further, we benchmark the transparent validation of TLS data via  $C_{tpOpen}$  (cf. Figure 8), which outperforms the privacy-preserving validation for data sizes beyond 500 bytes.

2) Optimized End-to-end Performance: We present E2E benchmarks of open-source TLS oracles in Table IV and provide additional micro benchmarks in the Appendix C. Concerning TLS 1.2 (cf. top part of Table IV), we run Janus12 using CBC-HMAC to benefit from constant size circuits in the record phase. For *TLSn*, which runs TLS 1.2 using AEAD, record phase 2PC depends on record sizes (cf. row 1 vs row 2/3 in Table IV). Even though the post-record communication increases, Janus12 achieves the fastest post-record execution benchmarks. For instance, the HVZK proof computations of Janus12 outperform related works by a factor of 9 in the local area network (LAN) setting.

Concerning TLS 1.3, *Origo* and *DecoProxy* circumvent 2PC computation of the record phase by introducing an additional trust assumption (*clients* cannot moun MITM attacks). As a result, these works behave equal to the TLS 1.3 baseline in the record phase. *DiStefano* sets the fastest handshake execution times, which we link to the enhanced Multiplicative to Additive (MtA) algorithm in the ECTF protocol [29], [41]. *Janus13* runs an AEAD cipher suite and evaluate 8 times more data (256b request, 2kb response) while remaining practical in all protocol phases.

#### VII. DISCUSSION

The discussion presents related works and summarizes remaining limitations and future work directions.

## A. Related Works

Xie et al. introduce the garble-then-prove paradigm based on semi-honest 2PC with authenticated garbling [15]. After the garble phase, authenticated garbling bits are transformed into a Pedersen commitment which can be opened in a zkSNARK proof system. By contrast, our E2E optimization for TLS 1.3 derives SHTS authenticity in a malicious setting. In the garble phase, we deploy semi-honest 2PC without authenticated garbling. To compute proofs efficiently, our work relies on a 2PC-based HVZK proof system with a unilateral validation phase.

Zhang et al. notice that legacy algorithms constitute over 40% of TLS computations and decouple stream cipher computations with a *pad commitment* [13]. The *pad commitment* is used to partly outsource legacy algorithms from the ZKP circuit to a pre-processing phase. We tackle the arithmetic requirements of legacy algorithms with a well-suited HVZK proof system.

Another way to improve the efficiency of the *client* challenge is to decouple the maliciously secure 2PC evaluation of CBs [4]–[6], [29]. Notice that this optimization applies to TLS oracles which run AEAD cipher suites. Here, the *client* obtains output wire keys and shares a commitment of CB wire keys with the *verifier*. With the commitment, the *verifier* discloses the wire key decoding table as well as secret shares to the *client*. The *client* is now able to verify

the correctness of  $C_{CB_{2\perp}}$ , access response data, and select a transparent data opening. Optionally, clients can prove TLS data in a ZKP circuit which (i) takes in private output wire keys, (ii) computes CBs with the decoding table as public input, and (iii) authenticates TLS data by XORing a plaintext with CBs to the intercepted ciphertext. This approach has the following limitation. The wire key possession before obtaining a decoding table prevents the *client* from accessing response data such that the *client* remains with two options. With knowledge of the plaintext structure, the client commits to a selection of output encodings, which correspond to the CBs of interest for the privacy-preserving data opening. Without knowledge of the plaintext structure, the client uses a merkle tree commitment structure to commit to all output encodings and selectively opens CBs in the ZKP circuit via merkle tree inclusion proofs [5]. Due to frequent updates, API data is unlikely to remain static over a longer period of time such that the scenario of not knowing plaintext structures prevails. Our work, in contrast, allows clients to selectively prove plaintext data during the client challenge.

## B. Disclaimer: Legal and Compliance Issues

This section informs users and companies running the *Janus* TLS oracle about subsidiary conditions and agreements. As TLS oracles are *legacy-compatible*, companies running the *verifier* connect seamlessly to web endpoints which are queried by users. Web endpoints do not necessarily notice the *verifier*. Legal issues (e.g. copyright infringements) arise if users export proprietary content or declare false data ownership. In this case, companies are supposed to deny content. If companies operate oracles in the privacy-preserving mode, then companies learn nothing from transport data beyond the statement validity. In the transparent mode, companies can surveil opened data in plain. Users must be aware that companies learn network layer data (e.g. IP addresses, domains), which is required to operate the *proxy* service. Tracking or profiling oracle data may cause regulatory compliance violations.

## C. Asymmetric Privacy & Related Concepts

Our definition of asymmetric privacy relates to the concept of a trapdoor hash function (THF) between two parties [42]. THF guarantee function privacy for the sender and input privacy for the receiver. The private function evaluates receiver data at a private index. In contrast, our asymmetric privacy setting ensures input privacy for a sender and convinces the receiver of a public function which holds on the entire sender input.

Further, to differentiate against other notions such as asymmetric differential privacy [43], our notion of asymmetric privacy targets a threshold number of parties with access to commitment secrets.

# D. Applications

Generally, the *Janus* optimizations make ZKP-computing *clients* practical in constrained environments (e.g. browsers, mobile). And, with that, serve existing oracle applications

such as confidential financial instruments, legacy credentials, or the combating of price discrimination [6]. On top, our scalability benefits open new application fields where larger data sets or documents require proofs of provenance. In this context, our contributions help in fighting the dissemination of disinformation by attesting generative AI content, which is among the goals of the Coalition for Content Provenance and Authenticity (C2PA) [1], [44].

## VIII. CONCLUSION

We reconsider the selection of secure computation techniques in TLS oracles by putting an emphasis on the asymmetric privacy setting and the conditions found in TLS 1.3. Concerning the asymmetric privacy setting, we show that a HVZK proof system can be deployed if the *client* performs a unilateral validation of the *verifier*. Concerning TLS 1.3 in the 1-RTT mode, we show that the authenticity of SHTS can lower algorithmic security requirements in the garble-thenprove paradigm. Our contributions improve the efficiency of ZKP computations and improve E2E benchmarks.

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#### REFERENCES

- L. Rosenthol, "C2pa: the world's first industry standard for content provenance," in *Applications of Digital Image Processing XLV*, vol. 12226. SPIE, 2022, p. 122260P.
- [2] S. Longpre, R. Mahari, A. Chen, N. Obeng-Marnu, D. Sileo, W. Brannon, N. Muennighoff, N. Khazam, J. Kabbara, K. Perisetla *et al.*, "The data provenance initiative: A large scale audit of dataset licensing & attribution in ai," *arXiv preprint arXiv:2310.16787*, 2023.
- [3] H. Ritzdorf, K. Wüst, A. Gervais, G. Felley, and S. Capkun, "Tlsn: Non-repudiation over tls enabling-ubiquitous content signing for disintermediation," *Cryptology ePrint Archive*, 2017.
- [4] "Tlsnotary-a mechanism for independently audited https sessions." https://github.com/tlsnotary/how\_it\_works/blob/master/how\_it\_works. md, 2014.
- [5] "Pagesigner: One-click website auditing." https://old.tlsnotary.org/how\_ it\_works, 2023.
- [6] F. Zhang, D. Maram, H. Malvai, S. Goldfeder, and A. Juels, "Deco: Liberating web data using decentralized oracles for tls," in *Proceedings of the 2020 ACM SIGSAC Conference on Computer and Communications Security*, 2020, pp. 1919–1938.
- [7] F. Zhang, E. Cecchetti, K. Croman, A. Juels, and E. Shi, "Town crier: An authenticated data feed for smart contracts," in *Proceedings of the 2016* aCM sIGSAC conference on computer and communications security, 2016, pp. 270–282.
- [8] J. Ernstberger, J. Lauinger, F. Elsheimy, L. Zhou, S. Steinhorst, R. Canetti, A. Miller, A. Gervais, and D. Song, "Sok: Data sovereignty," *Cryptology ePrint Archive*, 2023.
- [9] D. Malkhi. (2023) Exploring proof of solvency and liability verification systems. [Online]. Available: https://blog.chain.link/proof-of-solvency/
- [10] D. Maram, H. Malvai, F. Zhang, N. Jean-Louis, A. Frolov, T. Kell, T. Lobban, C. Moy, A. Juels, and A. Miller, "Candid: Can-do decentralized identity with legacy compatibility, sybil-resistance, and accountability," in 2021 IEEE Symposium on Security and Privacy (SP). IEEE, 2021, pp. 1348–1366.

- [11] K. Balan, S. Agarwal, S. Jenni, A. Parsons, A. Gilbert, and J. Collomosse, "Ekila: Synthetic media provenance and attribution for generative art," in *Proceedings of the IEEE/CVF Conference on Computer Vision* and Pattern Recognition, 2023, pp. 913–922.
- [12] M. Albrecht, L. Grassi, C. Rechberger, A. Roy, and T. Tiessen, "Mimc: Efficient encryption and cryptographic hashing with minimal multiplicative complexity," in *International Conference on the Theory and Application of Cryptology and Information Security.* Springer, 2016, pp. 191–219.
- [13] C. Zhang, Z. DeStefano, A. Arun, J. Bonneau, P. Grubbs, and M. Walfish, "Zombie: Middleboxes that don't snoop," *Cryptology ePrint Archive*, 2023.
- [14] M. Jawurek, F. Kerschbaum, and C. Orlandi, "Zero-knowledge using garbled circuits: how to prove non-algebraic statements efficiently," in *Proceedings of the 2013 ACM SIGSAC conference on Computer & communications security*, 2013, pp. 955–966.
- [15] X. Xie, K. Yang, X. Wang, and Y. Yu, "Lightweight authentication of web data via garble-then-prove," *Cryptology ePrint Archive*, 2023.
- [16] B. Dowling, M. Fischlin, F. Günther, and D. Stebila, "A cryptographic analysis of the tls 1.3 handshake protocol," *Journal of Cryptology*, vol. 34, no. 4, pp. 1–69, 2021.
- [17] P. Grubbs, A. Arun, Y. Zhang, J. Bonneau, and M. Walfish, "Zeroknowledge middleboxes," *Cryptology ePrint Archive*, 2021.
- [18] B. Dowling, M. Fischlin, F. Günther, and D. Stebila, "A cryptographic analysis of the 1ls 1.3 handshake protocol candidates," in *Proceedings* of the 22nd ACM SIGSAC conference on computer and communications security, 2015, pp. 1197–1210.
- [19] C. Adams, S. Farrell, T. Kause, and T. Mononen, "Internet x. 509 public key infrastructure certificate management protocol (cmp)," Tech. Rep., 2005.
- [20] Y. Lindell, "Secure multiparty computation for privacy preserving data mining," in *Encyclopedia of Data Warehousing and Mining*. IGI global, 2005, pp. 1005–1009.
- [21] A. C.-C. Yao, "How to generate and exchange secrets," in 27th annual symposium on foundations of computer science (Sfcs 1986). IEEE, 1986, pp. 162–167.
- [22] Y. Huang, "Practical secure two-party computation," dated: Aug, 2012.
- [23] T. Chou and C. Orlandi, "The simplest protocol for oblivious transfer," in Progress in Cryptology-LATINCRYPT 2015: 4th International Conference on Cryptology and Information Security in Latin America, Guadalajara, Mexico, August 23-26, 2015, Proceedings 4. Springer, 2015, pp. 40–58.
- [24] Y. Huang, J. Katz, and D. Evans, "Quid-pro-quo-tocols: Strengthening semi-honest protocols with dual execution," in 2012 IEEE Symposium on Security and Privacy. IEEE, 2012, pp. 272–284.
- [25] A. Nitulescu, "zk-snarks: a gentle introduction," 2020.
- [26] J. Thaler et al., "Proofs, arguments, and zero-knowledge," Foundations and Trends<sup>®</sup> in Privacy and Security, vol. 4, no. 2–4, pp. 117–660, 2022.
- [27] M. Hastings, B. Hemenway, D. Noble, and S. Zdancewic, "Sok: General purpose compilers for secure multi-party computation," in 2019 IEEE symposium on security and privacy (SP). IEEE, 2019, pp. 1220–1237.
- [28] A. Shamir, "How to share a secret," Communications of the ACM, vol. 22, no. 11, pp. 612–613, 1979.
- [29] S. Celi, A. Davidson, H. Haddadi, G. Pestana, and J. Rowell, "Distefano: Decentralized infrastructure for sharing trusted encrypted facts and nothing more," *Cryptology ePrint Archive*, 2023.
- [30] R. Gennaro and S. Goldfeder, "Fast multiparty threshold ecdsa with fast trustless setup," in *Proceedings of the 2018 ACM SIGSAC Conference* on Computer and Communications Security, 2018, pp. 1179–1194.
- [31] X. Wang, S. Ranellucci, and J. Katz, "Authenticated garbling and efficient maliciously secure two-party computation," in *Proceedings of* the 2017 ACM SIGSAC conference on computer and communications security, 2017, pp. 21–37.
- [32] D. Demmler, G. Dessouky, F. Koushanfar, A.-R. Sadeghi, T. Schneider, and S. Zeitouni, "Automated synthesis of optimized circuits for secure computation," in *Proceedings of the 22nd ACM SIGSAC Conference on Computer and Communications Security*, 2015, pp. 1504–1517.
- [33] C. Hazay, P. Scholl, and E. Soria-Vazquez, "Low cost constant round mpc combining bmr and oblivious transfer," *Journal of cryptology*, vol. 33, no. 4, pp. 1732–1786, 2020.
- [34] P. Grubbs, J. Lu, and T. Ristenpart, "Message franking via committing authenticated encryption," in *Annual International Cryptology Conference.* Springer, 2017, pp. 66–97.

- [35] P. Grubbs, A. Arun, Y. Zhang, J. Bonneau, and M. Walfish, "{Zero-Knowledge} middleboxes," in *31st USENIX Security Symposium* (USENIX Security 22), 2022, pp. 4255–4272.
- [36] S. Gueron, "Key committing aeads," Cryptology ePrint Archive, 2020.
- [37] Z. Luo, Y. Jia, Y. Shen, and A. Kate, "Proxying is enough: Security of proxying in tls oracles and aead context unforgeability," *Cryptology ePrint Archive*, 2024.
- [38] S. Menda, J. Len, P. Grubbs, and T. Ristenpart, "Context discovery and commitment attacks: How to break ccm, eax, siv, and more," in *Annual International Conference on the Theory and Applications of Cryptographic Techniques.* Springer, 2023, pp. 379–407.
- [39] Y. Dodis, P. Grubbs, T. Ristenpart, and J. Woodage, "Fast message franking: From invisible salamanders to encryptment," in Advances in Cryptology–CRYPTO 2018: 38th Annual International Cryptology Conference, Santa Barbara, CA, USA, August 19–23, 2018, Proceedings, Part I 38. Springer, 2018, pp. 155–186.
- [40] G. Botrel, T. Piellard, Y. E. Housni, I. Kubjas, and A. Tabaie, "Consensys/gnark: v0.8.0," Feb. 2023. [Online]. Available: https: //doi.org/10.5281/zenodo.5819104
- [41] H. Xue, M. H. Au, M. Liu, K. Y. Chan, H. Cui, X. Xie, T. H. Yuen, and C. Zhang, "Efficient multiplicative-to-additive function from joye-libert cryptosystem and its application to threshold ecdsa," in *Proceedings of the 2023 ACM SIGSAC Conference on Computer and Communications Security*, 2023, pp. 2974–2988.
- [42] N. Döttling, S. Garg, Y. Ishai, G. Malavolta, T. Mour, and R. Ostrovsky, "Trapdoor hash functions and their applications," in *Annual International Cryptology Conference*. Springer, 2019, pp. 3–32.
- [43] S. Takagi, F. Kato, Y. Cao, and M. Yoshikawa, "Asymmetric differential privacy," in 2022 IEEE International Conference on Big Data (Big Data). IEEE, 2022, pp. 1576–1581.
- [44] D. Kang, T. Hashimoto, I. Stoica, and Y. Sun, "Zk-img: Attested images via zero-knowledge proofs to fight disinformation," arXiv preprint arXiv:2211.04775, 2022.
- [45] P. Paillier, "Public-key cryptosystems based on composite degree residuosity classes," in Advances in Cryptology—EUROCRYPT'99: International Conference on the Theory and Application of Cryptographic Techniques Prague, Czech Republic, May 2–6, 1999 Proceedings 18. Springer, 1999, pp. 223–238.
- [46] C. Reitwiessner, "zksnarks in a nutshell," *Ethereum blog*, vol. 6, pp. 1–15, 2016.
- [47] A. R. Block, A. Garreta, J. Katz, J. Thaler, P. R. Tiwari, and M. Zajac, "Fiat-shamir security of fri and related snarks," *Cryptology ePrint Archive*, 2023.
- [48] J. Len, P. Grubbs, and T. Ristenpart, "Partitioning oracle attacks," in 30th USENIX security symposium (USENIX Security 21), 2021, pp. 195–212.
- [49] N. J. Al Fardan and K. G. Paterson, "Lucky thirteen: Breaking the tls and dtls record protocols," in 2013 IEEE symposium on security and privacy. IEEE, 2013, pp. 526–540.
- [50] G. Irazoqui, M. S. Inci, T. Eisenbarth, and B. Sunar, "Lucky 13 strikes back," in *Proceedings of the 10th ACM Symposium on Information*, *Computer and Communications Security*, 2015, pp. 85–96.
- [51] Y. Sheffer, R. Holz, and P. Saint-Andre, "Recommendations for secure use of transport layer security (tls) and datagram transport layer security (dtls)," Tech. Rep., 2015.

#### APPENDIX

#### A. Cryptographic Building Blocks

We describe algorithmic constructions by introducing security properties and provide concise tuples of algorithms to explain input to output parameter mappings. For cryptographic protocols, we describe the inputs and outputs which are provided and obtained by involved parties. Additionally, we mention the security properties of exchanged parameters.

1) Three-party Handshake: In the 3PHS (cf. Figure 10), each party picks a secret randomness (s, v, p) and computes its encrypted representation (S, V, P). By sharing V + P = Xwith the server in the CH, the server derives the session secret  $Z_s = s \cdot X$ , which corresponds to the TLS 1.3 secret DHE. When the server shares S in the SH, both the proxy and client



Fig. 10. Illustration of the 3PHS and exchanged cryptographic parameters between the server, the proxy, and the client. The gray box at the bottom indicates the relationship between shared client-side secrets  $Z_v$  and  $Z_p$ , which corresponds to the session secret  $Z_s$  of the server.

derive their shared session secrets  $Z_v$  and  $Z_p$  respectively such that  $Z_s = Z_v + Z_p$  holds. In the end, neither the client nor the verifier have full access to the DHE secret of the TLS handshake phase. The 3PHS works for both TLS versions but in Figure 10, we show a TLS 1.3-specific configuration based on the ECDHE, where the parameters (e.g.  $Z_p$ ) are EC points structured as P = (x, y).

2) *Digital Signatures:* A digital signature scheme is defined by the following tuple of algorithms, where

- ds.Setup(1<sup>λ</sup>) → (sk, pk) takes in a security parameter λ and outputs a public key cryptography key pair (sk, pk).
- ds.Sign $(sk, m) \rightarrow (\sigma)$  takes in a secret key sk and message m and outputs a signature  $\sigma$ .
- ds.Verify(pk, m, σ) → {0,1} takes in the public key pk, a message m, and a signature σ. The algorithm outputs a 1 or 0 if or if not the signature verification succeeds.

By generating a signature  $\sigma$  on a fixed size message m with secret key sk, any party with access to the public key pk is able to verify message authenticity. Digital signatures guarantee that only the party in control of the secret key is capable of generating a valid signature on a message.

3) Keyed-hash or Hash-based Key Derivation Function: A HKDF function converts parameters with insufficient randomness into suitable keying material for encryption or authentication algorithms. The HKDF scheme is defined by a tuple of algorithms, where

- hkdf.ext(s<sub>salt</sub>, k<sub>ikm</sub>) → (k<sub>pr</sub>) takes in a string s<sub>salt</sub>, input key material k<sub>ikm</sub>, and returns a pseudorandom key k<sub>pr</sub>.
- hkdf.exp(k<sub>pr</sub>, s<sub>info</sub>, l) → (k<sub>okm</sub>) takes in a pseudorandom key k<sub>pr</sub>, a string s<sub>info</sub> and a length parameter l and returns output key material k<sub>okm</sub> of length l.

Both functions **hkdf.ext** and **hkdf.exp** internally use the **hmac** algorithm (cf. Formula 1), which takes in a key k, a bit string m, and generates a string which is indistinguishable from uniform random strings. The **hmac** algorithm requires a hash function H with input size b (e.g. b=64 if H=SHA256).

$$\begin{aligned} \mathbf{hmac}(k,m) = & H((k' \oplus opad)||H((k' \oplus ipad)||m)) \\ & \text{with } k' = H(k), \text{ if } len(k) > b \end{aligned} \tag{1} \\ & \text{and } k' = k, \text{ else} \end{aligned}$$

4) Authenticated Encryption: AEAD provides communication channels with *confidentiality* and *integrity*. This means, exchanged communication records can only be read by parties with the encryption key and modifications of encrypted data can be detected. An AEAD encryption scheme is defined by the following tuple of algorithms, where

- aead.Setup(1<sup>λ</sup>) → (pp<sub>aead</sub>) takes in the security parameter λ and outputs public parameters pp<sub>aead</sub> of a stream cipher scheme E and authentication scheme A.
- aead.Seal( $pp_{aead}$ , pt, k,  $a_D$ )  $\rightarrow$  (ct, t) takes in  $pp_{aead}$ , a plaintext pt, a key k, and additional data  $a_D$ . The output is a ciphertext-tag pair (ct, t), where ct = E(pt) and  $t = A(pt, k, a_D, ct)$  authenticates ct.
- **aead.Open**(pp<sub>aead</sub>, ct, t, k,  $a_D$ )  $\rightarrow \{pt, \emptyset\}$  takes in pp<sub>aead</sub>, a ciphertext ct, a tag t, a key k, and additional data  $a_D$ . The algorithm returns the plaintext pt upon successful decryption and validation of the ciphertext-tag pair, otherwise it returns an empty set  $\emptyset$ .

5) Secure Two-party Computation: Secure 2PC allows two mutually distrusting parties with private inputs  $x_1$ ,  $x_2$  to jointly compute a public function  $f(x_1, x_2)$  without learning the private input of the counterparty. With that, secure 2PC counts as a special case of multi-party computation (MPC), with m = 2 parties and the adversary corrupting t = 1parties [20]. The adversarial behavior model in 2PC protocols divides adversaries into semi-honest and malicious adversaries. Semi-honest adversaries honestly follow the protocol specification, whereas malicious adversaries arbitrarily deviate. In the following, we introduce secure 2PC protocols which are used in this work, and briefly introduce cryptographic constructions which are used to instantiate the secure 2PC protocols.

a) MtA Conversion based on Homomorphic Encryption: The secure 2PC MtA protocol converts multiplicative shares x, y into additive shares  $\alpha, \beta$  such that  $\alpha + \beta = x \cdot y = r$  yield the same result r. The MtA protocol exists in a vector form, which maps two vectors  $\mathbf{x}, \mathbf{y}$ , with a product  $r = \mathbf{x} \cdot \mathbf{y}$ , to two scalar values  $\alpha, \beta$ , where the sum  $r = \alpha + \beta$  is equal to the product r. The functionality of the vector MtA scheme can be instantiated based on Paillier additive Homomorphic Encryption (HE) [45]. Additive HE allows parties to locally compute additions and scalar multiplications on encrypted values. With the functionality provided by the Paillier cryptosystem, we define the vector MtA protocol, as specified in the work [30], with the following tuple of algorithms, where

- **mta.Setup** $(1^{\lambda}) \rightarrow (sk_P, pk_P)$  takes in the security parameter  $\lambda$  and outputs a Paillier key pair  $(sk_P, pk_P)$ .
- mta.Enc(x,sk<sub>P</sub>) → (c1) takes in a vector of field elements x=[x<sub>1</sub>,...,x<sub>l</sub>] and a private key sk<sub>P</sub> and outputs a vector of ciphertexts c1=[E<sub>sk<sub>P</sub></sub>(x<sub>1</sub>),...,E<sub>sk<sub>P</sub></sub>(x<sub>l</sub>)].
- **mta.Eval**(**c1**,*y*,*pk*<sub>*P*</sub>)  $\rightarrow$  (*c*<sub>2</sub>, $\beta$ ) takes in the vector of ciphertexts **c1**=[c1<sub>1</sub>,...,c1<sub>*l*</sub>], a vector of field elements **y**=[*y*<sub>1</sub>,...,*y*<sub>*l*</sub>], and a public key *pk*<sub>*P*</sub>. The output is a tuple of a ciphertext c2 = c1<sup>*y*<sub>1</sub></sup><sub>1</sub> .... c1<sup>*y*<sub>l</sub></sup><sub>*l*</sub> · *E*<sub>*pk*<sub>*P*</sub>( $\beta'$ ) and the share  $\beta = -\beta'$ , where  $\beta' \stackrel{\$}{\leftarrow} \mathbb{Z}_p$ .</sub>

• **mta.Dec**(c2, $sk_P$ )  $\rightarrow$  ( $\alpha$ ) takes as input a ciphertext c2 and a private key  $sk_P$  and outputs the share  $\alpha = D_{sk_P}(c2)$ .

The tuple of algorithms is supposed to be executed in the order where party  $p_1$  first calls **mta.Setup** and **mta.Enc**. The function  $E_k(z)$  is a Paillier encryption of message z under key k. After  $p_1$  shares the public key  $pk_P$  and the vector of ciphertexts **c1** with party  $p_2$ , then  $p_2$  calls **mta.Eval** and shares the ciphertext c2 with  $p_1$ . Last,  $p_1$  calls **mta.Dec**, where  $D_k(z)$  is a Paillier decryption of message z under key k. If the algorithms are executed in the described order, then party  $p_1$  inputs private multiplicative shares in the vector **x** and obtains the additive share  $\alpha$ . Party  $p_2$  inputs the private vector of multiplicative shares **y** and obtains the additive share  $\beta$ . In the end, the relation  $\mathbf{x} \cdot \mathbf{y} = \alpha + \beta$  holds, and neither the party  $p_1$  nor the party  $p_2$  learn anything about the private inputs of the counterparty.

b) ECTF Conversion: The ECTF algorithm is a secure 2PC protocol and converts multiplicative shares of two EC xcoordinates into additive shares [4], [6]. Figure 11 shows the computation sequence of the ECTF protocol which makes use the vector MtA algorithm defined in Section A5a. By running the ECTF protocol, two parties  $p_1$  and  $p_2$ , with EC points P1, P2 as respective private inputs, mutually obtain additive shares  $s_1$  and  $s_2$ , which sum to the x-coordinate of the EC points sum P1+P2. TLS oracles use the ECTF protocol to transform the client-side EC secret shares  $Z_v$  and  $Z_p$  into additive shares  $s_v$  and  $s_p$  [4], [6]. Since the relation  $s_v + s_p = x$  for  $(x, y) = Z_s$  holds, it becomes possible to follow the TLS specification by using secure 2PC based on boolean garbled circuits with bitwise additive shares as input.

c) Oblivious Transfer: Secure 2PC based on boolean GCs depends on the 1-out-of-2  $\text{OT}_2^1$  sub protocol to secretly exchange input parameters of the circuit [23]. The  $\text{OT}_2^1$  involves two parties where party  $p_1$  sends two messages  $m_1, m_2$  to party  $p_2$  and does not learn which of the two messages  $m_b$  is revealed to party  $p_2$ . Party  $p_2$  inputs a secret bit b which decides the selection of the message  $m_b$ . An OT scheme is defined by a tuple of algorithms, where

- ot.Setup $(1^{\lambda}) \rightarrow (pp_{OT})$  takes as input a security parameter  $\lambda$  and outputs public parameters  $pp_{OT}$  of a hash function H and encryption schemes, where  $E_1/D_1$  encrypts/decrypts based on modular exponentiation and  $E_2/D_2$  encrypts/decrypts with a block cipher.
- ot.TransferX(pp<sub>OT</sub>)  $\rightarrow$  (X) takes in pp<sub>OT</sub>, samples  $x \leftarrow \mathbb{Z}_p$ , and outputs an encrypted secret  $X = E_1(x)$ .
- ot.TransferY(pp<sub>OT</sub>, X, b) → (Y, k<sub>D</sub>) takes in pp<sub>OT</sub>, a cipher X, a bit b, and samples y ← Z<sub>p</sub>. The output is a decryption key k<sub>D</sub> = X<sup>y</sup> and a cipher Y encrypting as Y = E<sub>1</sub>(y) if b = 0, or as Y = X · E<sub>1</sub>(y) if b = 1.
- ot.Encrypt(pp<sub>OT</sub>, X, Y, m<sub>1</sub>, m<sub>2</sub>, x) → (Z) takes in pp<sub>OT</sub>, Y, and derives k<sub>1</sub> = H(Y<sup>x</sup>), k<sub>2</sub> = H((<sup>Y</sup>/<sub>X</sub>)<sup>x</sup>). The output is a vector of ciphers Z = [E<sub>2</sub>(m<sub>1</sub>, k<sub>1</sub>), E<sub>2</sub>(m<sub>2</sub>, k<sub>2</sub>)].
- ot.Decrypt(pp<sub>OT</sub>, Z, k<sub>D</sub>, b) → (m<sub>b</sub>) takes in pp<sub>OT</sub>, key k<sub>D</sub>, the bit b, and a vector of ciphers Z = [Z<sub>1</sub>, Z<sub>2</sub>]. The output is the message m<sub>b</sub> = D<sub>2</sub>(Z<sub>b</sub>, k<sub>D</sub>).

<b><u>ECTF</u></b> between two parties $p_1$ and $p_2$ .
<b>inputs:</b> $P_1 = (x_1, y_1)$ by $p_1$ , $P_2 = (x_2, y_2)$ by $p_2$ .
<b>outputs:</b> $s_1$ to $p_1$ , $s_2$ to $p_2$ .
$p_1$ : $(sk,pk)$ =mta.Setup $(1^{\lambda})$ ; send $pk$ to $p_2$
$p_1: \rho_1 \xleftarrow{\$} \mathbb{Z}_p; \mathbf{c1}=\mathbf{mta.Enc}([-x_1,\rho_1], sk);$
send <b>c1</b> to $p_2$
$p_2: \rho_2 \xleftarrow{\$} \mathbb{Z}_p; (c2,\beta) = mta.Eval(c1, [\rho_2, x_2], pk);$
$\delta_2 = x_2 \cdot \rho_2 + \beta$ ; send (c2, $\delta_2$ ) to $p_1$
$p_1: \alpha = \text{mta.Dec}(c_2, s_k); \delta_1 = -x_1 \cdot \rho_1 + \alpha; \delta = \delta_1 + \delta_2;$
$\eta_1 = \rho_1 \cdot \delta^{-1}$ ; c1=mta.Enc([ $-y_1, \eta_1$ ], $sk$ );
send (c1, $\delta_1$ ) to $p_2$
$p_2: \delta = \delta_1 + \delta_2; \ \eta_2 = \rho_2 \cdot \delta^{-1};$
(c2, $\beta$ )=mta.Eval(c1,[ $\eta_2, y_2$ ], $pk$ ); $\lambda_2 = y_2 \cdot \eta_2 + \beta$ ;
send c2 to $p_1$
$p_1: \alpha = \text{mta.Dec}(c_2, s_k); \lambda_1 = -y_1 \cdot \eta_1 + \alpha;$
<b>c1=mta.Enc</b> ( $[\lambda_1]$ , $sk$ ); send <b>c1</b> to $p_2$
$p_2$ : (c2, $\beta$ )=mta.Eval(c1, [ $\lambda_2$ ], $pk$ ); $s_2 = 2 \cdot \beta + \lambda_2^2 - x_2$ ;
send c2 to $p_1$
$p_1: \alpha = \mathbf{mta.Dec}(c_2, s_k); s_1 = 2 \cdot \alpha + \lambda_1^2 - x_1$

Fig. 11. The ECTF algorithm converts multiplicative shares in form of EC point x-coordinates from points  $P_1, P_2 \in EC(\mathbb{F}_p)$  to additive shares  $s_1, s_2 \in \mathbb{F}_p$ . It holds that  $s_1 + s_2 = x$ , where x is the coordinate of the EC point  $P_1 + P_2$ .

In the  $OT_2^1$  protocol, party  $p_1$  calls **ot.Setup** and **ot.TransferX**, and sends the public parameters and cipher X to  $p_2$ . Party  $p_2$  calls **ot.TransferY**, locally keeps the decryption key and shares the cipher Y with  $p_1$ . Now,  $p_1$  shares the output of **ot.Encrypt** with  $p_2$ , who obtains  $m_b$  by calling **ot.Decrypt**.

*d)* Semi-honest 2PC with Garbled Circuits: We define secure 2PC based on boolean garbled circuits by extending our OT definition of Section A5c with the tuple of algorithms, where

- gc.Setup(1<sup>λ</sup>) → (pp<sub>GC</sub>) takes in the security parameter λ and outputs public parameters pp<sub>GC</sub>.
- gc.Garble(pp<sub>GC</sub>, C<sub>G</sub>, d<sub>in</sub>) → (k<sup>g</sup><sub>in</sub>, e, G(C), T<sub>k-d</sub>, T<sub>d-k</sub>) takes as input pp<sub>GC</sub>, a boolean circuit C<sub>G</sub>, the input bit string d<sub>in</sub>, and randomly samples signal bits and wire keys σ,k <sup>§</sup> Z<sub>n</sub>. Every wire receives two wire keys where the internal labels map wire keys to the numbers 0 and 1. Based on the signal bits and internal labels, every wire receives two external labels. The output consists of input wire keys k<sub>in</sub>, the garbled tables G(C), input and output decoding tables T<sub>d-k</sub>, T<sub>k-d</sub>, and external labels e.
- gc.Evaluate(pp<sub>GC</sub>, k<sup>g</sup><sub>in</sub>, k<sup>e</sup><sub>in</sub>, e, G(C)) → (k<sub>out</sub>) takes in public parameters, input wire keys, external labels, and the garbled circuit tables and outputs output wire keys.

On a high-level, a 2PC system based on boolean garbled circuits involve a party  $p_1$  as the garbler and party  $p_2$  as the evaluator. Party  $p_1$  calls **gc.Setup** and **gc.Garble**. Subsequently,  $p_1$  sends **e**,  $\mathbf{k}_{in}^g$ ,  $G(\mathcal{C})$ , and  $T_{k-d}$  to  $p_2$ . If the semi-honest 2PC system is used in the context of an HVZK proof system, then  $p_1$  does not share  $T_{k-d}$ . Next, to obtain

the remaining input labels  $\mathbf{k}_{in}^e$  of the evaluator  $p_2$ ,  $p_1$  and  $p_2$  interact with the  $OT_2^1$  scheme defined in Section A5c. Initially both parties call the transfer functions. Next,  $p_1$  sends input wire keys encrypted by **ot.Encrypt** as messages  $(m_1 = \hat{k}_{in}^e, m_2 = \hat{k}_{in}^{-e})$  to  $p_2$ . Party  $p_2$  obtains labels  $k_{in}^e$  by calling **ot.Decrypt**. Then,  $p_2$  calls **gc.Evaluate** and if  $T_{k-d}$  has been shared, decodes output wire keys to obtain the output data bit string  $d_{out}$ .

e) Maliciously Secure TwoPC based on dual-execution: We consider running the semi-honest 2PC protocol based on boolean garbled circuits [21] to instantiate the maliciously secure 2PC scheme of the work [24]. Again, the 2PC dualexecution protocol runs two instances of the semi-honest 2PC, where both parties  $p_1$  and  $p_2$  successively act as the garbler and evaluator. Before any 2PC output is shared with the counterparty, the protocol runs a secure validation phase on obtained outputs. The idea of the mutual output verification is as follows. If  $p_1$ , as the evaluator, obtains output wire keys  $\mathbf{k}_x$  and output bits **b** from a correctly garbled circuit of  $p_2$ , then  $p_1$  knows which output labels  $\mathbf{k}_y$  according to  $\mathbf{b}$   $p_2$  must evaluate on a correctly garbled circuit of  $p_1$ . Thus, if  $p_1$  shares a commitment in form of a hash  $H(\mathbf{k}_u || \mathbf{k}_x)$  with  $p_2$  after the first circuit evaluation, and  $p_2$  returns the same hash  $H(\mathbf{k}_q | | \mathbf{k}_x)$ after the second circuit evaluation, then  $p_1$  is convinced of a correct garbling by  $p_2$ . Because, if  $p_2$  incorrectly garbles a circuit, then  $p_1$  obtains the bits **b**'. And, if  $p_1$  correctly garbles a circuit,  $p_2$  obtains correct bits **b**. The incorrect bits **b**' lead  $p_1$  to a selection of labels  $\mathbf{k'}_x$  and  $\mathbf{k'}_y$  and the correct bits **b** lead  $p_2$  to a correct selection of  $\mathbf{k}_y \neq \mathbf{k'}_y$ . Since  $p_2$  does not know which output keys  $p_1$  evaluates,  $p_2$  cannot predict any keys  $\mathbf{k}'_{x}, \mathbf{k}'_{y}$  which lead to the hash that is expected by  $p_1$ . To communicate the output of a maliciously secure 2PC to a single party, only the first garbler is required to share the output decoding table with the counterparty.

6) Zero-knowledge Proof Systems: In practice, zeroknowledge proof systems are implemented by a tuple of algorithms, where

- zk.Setup(1<sup>λ</sup>, C) → (CRS<sub>C</sub>) takes in a security parameter and algorithm, and yields a common reference string,
- zk.Prove(CRS<sub>C</sub>, x, w) → (π) consumes the CRS, public input x, and the private witness w and outputs a proof π.
- **zk.Verify**(CRS<sub>C</sub>,  $x, \pi$ )  $\rightarrow$  {0,1} yields true (1) or false (0) upon verifying the proof  $\pi$  against public input x.

The tuple of algorithms achieves the properties of a zeroknowledge proof systems. If zero-knowledge proof frameworks depend on cryptographic constructions that require a trusted setup (e.g. use pairings or KZG commitments), the **zk.Setup** function must be called by a trusted third party. For transparent instantiations of zero-knowledge proof frameworks (e.g. based on FRI commitments), the **zk.Setup** function can be called by either party. The function **zk.Prove** and **zk.Verify** are called by the prover and verifier respectively.

a) Zero-Knowledge Succinct Non-Interactive Argument of Knowledge: A zkSNARK proof system is a zero-knowledge proof system, where the four properties of succinctness, noninteractivity, computational sound arguments, and witness *knowledge* hold [46]. Succinctness guarantees that the proof system provides short proof sizes and fast verification times even for lengthy computations. If non-interactivity holds (e.g., via the Fiat-Shamir security [47]), then the prover is able to convince the verifier by sending a single message. Computational sound arguments guarantee soundness in the zkSNARK system if provers are computationally bounded. Last, the knowledge property ensures that provers must know a witness in order to construct a proof.

7) *Secret Sharing:* We formally define a secret sharing scheme with the following tuple of algorithms, where

- ss.Setup( $\lambda$ )  $\rightarrow$  (pp) takes in a security parameter and returns public parameters and randomness  $r \stackrel{\$}{\leftarrow} \mathcal{R}(\lambda)$ .
- ss.Share(pp, r)  $\rightarrow$  (**r**) takes in public parameters and randomness and returns additive secret shares **r**=[ $r_1, \ldots, r_n$ ], where  $\sum_{x=1}^n r_x = r$  holds.
- ss.Reconstruct(r) → (r) takes in additive secret shares and returns their sum.

8) Cryptographic Commitment Schemes: We formally define cryptographic commitments with the following tuple of algorithms, where

- **c.Commit** $(m, r_c) \rightarrow (c)$  takes in a string m and commit randomness  $r_c \stackrel{\$}{\leftarrow} \mathcal{R}$  and yields a commitment string c.
- c.Open $(m, r_c, c) \rightarrow (\{0, 1\})$  takes in a message string, a commit randomness, and a commitment string and outputs 1 only if c is a valid commitment string of the tuple  $(m, r_c)$ .

The algorithms **c.Commit**, **c.Open** satisfy the properties of a secure commitment scheme, where computational *binding* ensures that after committing to  $m_1$ , a probabilistic polynomial time (PPT) adversary cannot find **c.Commit** $(m_2, r_2)$ ==**c.Commit** $(m_1, r_1)$ , with  $(m_1, m_2) \in$  $\mathcal{M}$ ,  $(r_1, r_2) \in \mathcal{R}$ , and  $m_2 \neq m_1$ . Further, anyone seeing clearns nothing on m due to the property of statistical *hiding*, where **c.Commit** $(m_1, r_c)$  is statistically indistinguishable from **c.Commit** $(m_2, r_c)$  with  $(m_1, m_2) \in \mathcal{M}$  and  $r_c \in \mathcal{R}$ .

#### B. Security Analysis

The security analysis concerns the deployment of the HVZK proof system and the unilateral validation in the asymmetric privacy setting. Further, we show that the *Janus* protocol is secure against malicious adversaries during the mutual authentication of the SHTS parameter. The security analysis relies on our threat and system model (cf. Section III) and uses our formalized cryptographic building blocks (cf. Sections II-C, Appendix A)

1) Construction 1: The first construction creates a maliciously secure evaluation of the HVZK proof system in the asymmetric privacy setting. The proof system leverages semihonest 2PC based on boolean garbled circuit [14] and is combined with a unilateral validation phase. To show the security of the construction, we first define the security guarantees of the asymmetric privacy setting and conclude that the unilateral validation protocol patches remaining vulnerabilities.

**Theorem 1.** If three parties  $p_0$ ,  $p_1$ , and  $p_2$  with access to

- a three-party TLS handshake protocol  $\Pi_{3PHS}$
- a secure commitment scheme  $\Pi_{com}$
- a secret sharing scheme  $\Pi_{ss}$  with  $p_0$  as the trusted dealer
- a secure channel  $sc_{0-1}$  between  $p_0$  and  $p_1$
- a secure channel  $sc_{1-2}$  between  $p_1$  and  $p_2$
- a secure channel  $sc_{0-2}$  between  $p_0$  and  $p_2$
- a maliciously secure 2PC scheme  $\Pi_{2PC}$  between  $p_1$  and  $p_2$

perform the sequence of computations

1)  $p_0$  calls  $[r_1, r_2] = \prod_{ss}.Share(r)$ , with  $r \stackrel{\mathfrak{s}}{\leftarrow} \mathcal{R}(\lambda)$ 

- 2)  $p_0$  shares  $r_1$  using  $sc_{0-1}$  and  $r_2$  using  $sc_{0-2}$
- 3) either  $p_0$  calls  $c=\Pi_{com}$ . Commit(m, r) with bit strings m, c and shares m, c using  $sc_{0-1}$  and c using  $sc_{0-2}$ , or  $\Pi_{2PC}$  evaluates  $\Pi_{com}$ . Commit $(m, r_1+r_2)$  where  $p_1$  has m
- 4)  $p_2$  shares  $r_2$  using  $sc_{1-2}$

under the assumptions that

- the TLS 3PHS implements  $\Pi_{ss}$  and the sequence of computations (1) and (2)
- $p_0$  discards calling  $\Pi_{com}$ . Open
- p<sub>0</sub> cannot be compromised by the adversary
- $p_1$  never discloses the secret share  $r_1$
- the security of the schemes  $\Pi_{2PC}$ ,  $\Pi_{3PHS}$ , etc. holds (e.g. 3PHS relies on the discrete logarithm hardness to find a from aG, with random  $a \stackrel{\$}{\leftarrow} EC(\mathbb{F}_p)$  and base point  $G \in EC(\mathbb{F}_p)$ )

we say that asymmetric privacy holds between  $p_1$  and  $p_2$  such that only  $p_1$  can call  $\prod_{com}$ . Open.

**Proof 1.1:** The security of the 3PHS keeps secret shares confidential. Without access to the initially shared secret shares, the adversary  $\mathcal{A}$  cannot compute the commitment string *c*. Further, the security of the commitment scheme prevents the adversary from finding a collision of *c*. When computing the commitment through a maliciously secure 2PC system, then  $\mathcal{A}$  cannot learn any information on the inputs of the counterparty. Since all parties use secure channels to communicate parameters,  $\mathcal{A}$  learns nothing of communicated parameters. Thus,  $\mathcal{A}$  cannot find any *m* or reconstruct *r* which prevents  $\mathcal{A}$  from calling  $\Pi_{com}$ .Open.

**Theorem 2.** If two parties  $p_1$  and  $p_2$  with access to

- a HVZK proof system  $\Pi_{HVZK}$  using a semi-honest 2PC system  $\Pi_{sh2PC}$
- two secure commitment scheme  $\Pi^1_{com}, \Pi^2_{com}$
- an asymmetric privacy setting  $\Pi_{asym}$  using  $\Pi_{corr}^2$
- a 2PC circuit  $\hat{C}_{open}$  implementing  $\Pi^2_{com}$ . Open
- a secure channel  $sc_{1-2}$  between  $p_1$  and  $p_2$
- a unilateral validation  $\Pi_{uv}$  using  $\Pi_{com}^2$

perform the sequence of computations

- 1)  $\Pi_{HVZK}$ . Setup:  $p_2$  calls  $p=\Pi_{sh2PC}$ . Garble( $C_{open}$ )
- 2)  $\Pi_{HVZK}$ . Setup:  $p_2$  shares  $\{p \setminus T_{k-d}\}$  using  $sc_{1-2}$
- 3)  $\Pi_{HVZK}$ . Prove:  $p_1$  calls  $k=\Pi_{sh2PC}$ . Evaluate
- 4)  $\Pi_{uv}$ :  $p_1$  calls  $c = \Pi^1_{com}$ . Commit(k, r) with  $r \stackrel{\$}{\leftarrow} \mathcal{R}(\lambda)$
- 5)  $\Pi_{uv}$ :  $p_1$  shares c using  $sc_{1-2}$

- 6)  $\Pi_{uv}$ :  $p_2$  shares  $\{p\}$  using  $sc_{1-2}$
- 7)  $\Pi_{uv}$ :  $p_1$  recomputes  $C_{open}$  to verify  $\{p\}$
- 8)  $\Pi_{uv}$ :  $p_1$  shares r using  $sc_{1-2}$
- 9)  $\Pi_{HVZK}$ . Verify:  $p_2$  calls  $\Pi^1_{com}$ . Open(c,r)

under the assumptions that

- in  $\Pi_{sh2PC}$   $p_1$  acts as the evaluator and  $p_2$  acts as the garbler
- $\Pi_{asym}$  gives  $p_1$  access to  $\Pi^2_{com}$ . Commit

we say that after running  $\Pi_{asym}$ , composition of  $\Pi_{HVZK}$  and  $\Pi_{uv}$  as  $\Pi_{comp}$  establishes security against malicious adversaries.

**Proof 1.2:** The security of  $\Pi_{sh2PC}$  allows the adversary  $\mathcal{A}$  to maliciously garble the circuit  $C_{open}$ . However, if  $\mathcal{A}$  receives c upon disclosure of  $\{p \setminus T_{k-d}\}$ , the hiding property of  $\Pi_{com}$  prevents  $\mathcal{A}$  from learning any secret information on the 2PC inputs of  $p_1$ . Further,  $p_1$  detects a cheating  $\mathcal{A}$  at the sequence number (7) and aborts the protocol before disclosing r to  $\mathcal{A}$ . Further,  $\Pi_{sh2PC}$  prevents  $\mathcal{A}$  from predicting a k that corresponds to a 1. If  $\mathcal{A}$  uses  $\Pi^1_{com}$  to commit garbage, then  $p_2$  aborts at the sequence number (9).

**Notice.** We define  $\Pi_{comp}(\Pi_{sh2PC}=\arg 1, C_{open}=\arg 2, \Pi_{com}^2=\arg 3)$  as an construction that takes as input a semihonest 2PC system which is executed in the context of the HVZK proof system. The HVZK proof system evaluates a 2PC circuit as the second argument. The third argument is a commitment scheme which establishes the asymmetric privacy setting.

2) Construction 2: The second construction provides the *verifier* with a secure authenticity verification of the TLS 1.3 SHTS secret in a setting with malicious adversaries. To do so, the construction combines the effects of a specific TLS 1.3 operation mode with the TLS 3PHS and a secure 2PC computation of the session secret SHTS. This combination introduces an unsolvable challenge to the adversary which prevents the adversary from forging the authenticity of SHTS.

**Theorem 3.** If three parties  $p_0$ ,  $p_1$ , and  $p_2$  with access to

- a secure channel  $sc_{0-1}$  between  $p_0$  and  $p_1$
- a secure channel  $sc_{0-2}$  between  $p_0$  and  $p_2$
- a three-party TLS handshake protocol  $\Pi_{3PHS}$
- a secure commitment scheme  $\Pi_{com}$
- a maliciously secure 2PC scheme  $\Pi_{2PC}$  between  $p_1$  and  $p_2$
- a secret sharing scheme  $\Pi_{ss}$  with  $p_0$  as the trusted dealer
- a secure AEAD scheme  $\Pi_{AEAD}$
- a secure signature scheme  $\Pi_{\sigma}$  where  $p_0$  maintains the private key sk

perform the sequence of computations

- 1)  $p_0$  calls  $[r_1, r_2] = \prod_{ss}$ . Share(r), with  $r \stackrel{\$}{\leftarrow} \mathcal{R}(\lambda)$
- 2)  $p_0$  shares  $r_1$  using  $sc_{0-1}$  and  $r_2$  using  $sc_{0-2}$
- 3)  $p_2$  samples  $t \stackrel{\$}{\leftarrow} \mathcal{R}(\lambda)$  and discloses t
- 4)  $p_0$  calls  $c=\Pi_{com}$ . Commit(t, r), with bit strings c
- 5)  $p_0$  calls  $\sigma = \Pi_{\sigma}$ . Sign(sk, t)
- 6)  $p_0$  calls  $s=\Pi_{AEAD}$ . Seal(c, $\sigma$ ) and discloses s
- 7)  $\Pi_{2PC}$  evaluates  $\Pi_{com}$ . Commit(t,  $r_1+r_2$ )

8)  $p_2$  calls  $\sigma = \prod_{AEAD} Open(c,s)$  and checks  $\prod_{\sigma} Verify(pk,t, \sigma)$ 

under the assumptions that

- the TLS 3PHS implements  $\Pi_{ss}$  and the sequence of computations (1) and (2)
- $p_0$  cannot be compromised by the adversary
- *pk*, and *t* are public
- $p_0$  never discloses sk
- $p_2$  only performs step (7) if a s has been captured

we say that an PPT adversary has negligible probability with respect to  $\lambda$  in forging c such that  $p_2$  accepts step (8) and that c is authentic.

**Proof 2.1:** Again,  $\Pi_{3PHS}$  and  $\Pi_{2PC}$  keep the secret shares confidential. Thus, the adversary  $\mathcal{A}$  can only access c at step (7). With c, the adversary can forge a new transcript s but cannot change a s which has already been captured by  $p_2$ . Thus, the challenge for  $\mathcal{A}$  is to predict a valid c' at a point in time where c remains hidden. Predicting a correct c requires  $\mathcal{A}$ either to find a collision for c which the secure commitment prevents. Or,  $\mathcal{A}$  correctly guesses the secret share  $r_2$  which evaluates to a correct c before a s is captured by  $p_2$ . In the case of a correct guess,  $\mathcal{A}$  can replay a  $\sigma'$  on previous t' and encrypt  $\sigma'$  under the right c such that  $p_2$  accepts. However, guessing  $r_2$  or  $r_1$  has negligible probability in  $\lambda$ .

3) Construction 3: The third construction reduces the security requirements of cryptographic constructions in the garblethen-prove paradigm [15]. Specifically, we show that the existence of a computation trace to an authenticated commitment string to allows to replace a semi-honest 2PC system based on authenticated garbling with a semi-honest 2PC system that does not require authenticated garbling. Our garble-then-prove paradigm leverages the efficient proof system construction in the asymmetric privacy setting in the prove phase. Further it requires commitment authenticity through SHTS. Thus, for this construction, we use our definitions of  $\Pi_{comp}$  and  $\Pi_{auth}$ (cf. proof 1.1, 1.2, and 2.1 of Appendix B).

**Theorem 4.** If two parties  $p_1$  and  $p_2$  with access to

- a garble-then-prove scheme  $\Pi_{g-t-p}$  using two semi-honest 2PC system  $\Pi_{sh2PC}^1$ ,  $\Pi_{sh2PC}^2$
- a composition scheme  $\Pi_{comp}$
- a secure commitment scheme  $\Pi_{com}$
- an authenticated commitment scheme  $\Pi_{auth}$  using  $\Pi_{com}$
- a 2PC circuit  $C_{open}$  implementing  $\Pi_{com}$ . Open
- a 2PC circuit C<sub>kdc+record</sub> implementing the TLS 1.3 specification
- a 2PC circuit  $C_{\phi}$  implementing a data compliance check against a statement  $\phi$

perform the sequence of computations

- 1)  $\Pi_{g-t-p}$ . Garble:  $p_1$  calls  $\Pi^1_{sh2PC}$ . Garble( $\mathcal{C}_{kdc+record}$ )
- 2)  $\Pi_{g-t-p}$ . Garble:  $p_2$  calls  $\Pi_{sh2PC}^1$ . Evaluate ( $C_{kdc+record}$ )
- 3)  $\Pi_{g-t-p}$ . Prove:  $\Pi_{comp}(\Pi^2_{sh2PC})$ ,  $(\mathcal{C}_{kdc+record} + \mathcal{C}_{open} + \mathcal{C}_{\phi})$ ,  $\Pi_{com}$ )

under the assumptions that

- in  $\Pi^1_{sh2PC}$   $p_2$  acts as the evaluator and  $p_1$  acts as the garbler
- in  $\prod_{sh2PC}^2 p_1$  acts as the evaluator and  $p_2$  acts as the garbler
- $\Pi_{auth}$  initially authenticates  $\Pi_{com}$

we say that malicious security holds for the garble-then-prove paradigm with a semi-honest 2PC system in the garble phase.

**Proof 3.1:** The adversary  $\mathcal{A}$  is able to maliciously garble  $\Pi^1_{\text{sh2PC}}$  and obtain secrets from  $p_2$ . However, due to the asymmetric privacy setting established during the prove phase,  $\mathcal{A}$  learns nothing beyond what  $\mathcal{A}$  would have learned during the prove phase. And, a malicious garbling of  $\mathcal{A}$  is recorded at  $p_2$  because  $p_2$  obtains all outputs of 2PC circuits executed in the garble phase. Thus, once the construction proceeds to step (3), and  $\mathcal{A}$  has cheated,  $p_2$  is able to detect it in step (9) of the  $\Pi_{\text{comp}}$  construction and can abort the protocol. This conditional abort option prevents  $\mathcal{A}$  from obtaining a false provenance attestation of TLS data.

## C. Benchmarks Extended

The following subsection provides additional benchmarks.

1) Cipher Suite Analysis: To evaluate cipher suite support among today's APIs, we scanned the first 15k entries of the top-1m.csv.zip list<sup>11</sup>. To perform the scan, we rely on a publicly available TLS cipher suite scanner<sup>12</sup>. We remove scans which encounter network errors (e.g. no such host) or TLS errors (e.g. EOF, handshake failures). The cipher suite support distribution is depicted in Figure 12. TLS 1.2 configured with GCM reaches a support of 73.5% while TLS 1.2 CBC-HMAC reaches 70.05%. TLS 1.3 support is lower at 55.8%. Even though TLS oracles relying on CBC-HMAC have efficient record phase computations, multiple attacks on the CBC MAC-then-encrypt pattern have been introduced [48]-[50]. Even though countermeasures exist, protecting records with the CBC MAC-then-encrypt pattern is not recommended anymore [51]. Our distribution of scans aligns with this recommendation. Further, most endpoints support AEAD cipher suites, where the TLS 1.2 support is 17.7% ahead of TLS 1.3.

2) Microbenchmarks of 2PC Circuits: We present micro benchmarks of secure computation building blocks in Tables V and VI. Table VI compares circuit complexities, execution times, and communication overhead of 2PC circuits, where execution times and communication overhead is further divided into offline and online benchmarks. The 2PC circuits  $C_{XHTS}$  and  $C_{k,iv}$  derive session secrets in milliseconds and compute CBs via the circuit  $C_{CB_{2+}}^{X}$  for a 2 kB record in 164.9 milliseconds. An interesting fact to notice is that the AEAD tag circuit  $C_{tag}$  is efficient for small request sizes and scales sufficiently but not ideally for larger request sizes. The overhead in the circuit  $C_{tag}$  is introduced by the algebraic structure of the Galois field polynomials in GF(2<sup>128</sup>), which, as an algebraic structure, is in conflict with the binary representation of computation in boolean GCs. The related

<sup>11</sup> https://github.com/PeterDaveHello/top-1m-domains

<sup>12</sup> https://github.com/TeoLj/TLSscanner



Fig. 12. TLS cipher suite scan performed at the 11th of June 2024. Green bars refer to TLS 1.3 cipher suites and yellow bars indicate TLS 1.2 cipher suites.

TABLE V MALICIOUSLY-SECURE 2PC BENCHMARKS AVERAGED OVER 10 EXECUTIONS USING THE FRAMEWORK *emp-ag2pc*.

2PC Functions	Commu	nication	Execution		
	Online	Offline	Online	Offline	
SHA256	13.184 KB	12.16 MB	10.095 ms	59.4 ms	
AES128	6.8 KB	4.33 MB	2.8 ms	55.5 ms	

works [5], [29] propose a scalable OT-based computation of the AEAD tag, which we consider as future work to improve our implementation.

Concerning data opening times, we can see that the trans*parent* mode with the circuit  $C_{tpOpen}$  is more efficient compared to the *privacy-preserving* mode with the circuit  $C_{zkOpen}$ . This behavior is expected because, the 2PC circuit of the transparent mode does not include the ciphertext, SHTS, and  $CB_{tag}$ verification inside the circuit (cf. Figure 8). As a consequence, the data communicated in the OT scheme of the transparent mode is about half the size of the privacy-preserving mode. The effect is further visible in the online communication cost, where the transparent mode communicates 3x less data than the privacy-preserving opening mode. As another reference benchmark (cf.  $f_{\phi}$  of the last row in Table VI), we evaluate the verification of a confidential document hash H(f) in the circuit  $C_{\text{zkOpen}}$ . To do so, we set the function  $f_{\phi} = H(f) \stackrel{?}{=} H(\mathbf{pt})$ to a hash check on the 2 kB response data, with H=SHA256. Concerning online execution times, the extra hash evaluation yields a negligible overhead for the *client* but increases the communication overhead by a factor of 1.3x.

TABLE VI Secure computation benchmarks separated into offline/online execution and communication values. We separate the handshake, record, and post-record phases with dashed lines.

2PC Circuit	<b>Constraints</b> (x10 <sup>6</sup> )	<b>Execution Offline</b>	<b>Execution Online</b>	Communication Offline	<b>Communication Online</b>
ECTF	-	-	212.96 ms	-	1.861 kB
$\mathcal{C}_{\text{XHTS}}$	3.14	215.56 ms	144 ms	34 MB	110 kB
$\mathcal{C}_{k^{m_{1}},iv}$	10.34	723.96 ms	484.82 ms	108.08 MB	356 kB
$\mathcal{C}^{256\mathrm{B}}_{\mathrm{ECB}_{2+}}$ / $\mathcal{C}^{2\mathrm{kB}}_{\mathrm{ECB}_{2+}}$	1.16 / 9.18	67.78 / 578.76 ms	67.6 / 164.9 ms	10.12 / 86.02 MB	116 / 566 kB
$\mathcal{C}^{256\mathrm{B}}_{tag}$ / $\mathcal{C}^{2\mathrm{kB}}_{tag}$	4.04 / 29.01	285.98 ms / 2.42 s	492.24 ms / 3.78 s	52.06 / 378.02 MB	512 kB / 2 MB
$\mathcal{C}_{tpOpen}^{256 B q, 2 kB r}$	12.69	0.89 s	0.46 s	126.01 MB	583 kB
$\mathcal{C}_{ m zkOpen}^{ m 256~B~q,~2~kB~r}$ / $f_{\phi}$	12.73 / 17.15	0.89 / 1.13 s	2.04 / 2.08 s	127.02 / 168.03 MB	2.13 / 2 MB